



Let's build secure systems on a correct kernel

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(part of) the Trustworthy Embedded Systems crowd



Agenda

















 → How to prove this is trustworthy?
 1. Trustworthy foundation → seL4 functional correctness for 10,000 loc

2. Strategic componentized security architecture *formal guarantees* for >1,000,000 loc

Idea: Strong *guarantees* about *whole system* without needing to reason about all of its code

Approach





 → How to prove this is trustworthy?
 1. Trustworthy foundation → seL4 functional correctness for 10,000 loc

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Idea: Strong *guarantees* about *whole system* without needing to reason about all of its code

How: Using seL4's access control (capabilities)

Approach





Careful design



System Implementation



Security Architecture



1a.	minimal	Trusted	Computing	Base







Secure Access Controller (SAC)



Classified Networks



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Design



Classified Networks



Minimal TCB





Minimal TCB





Minimal TCB





Minimal TCB: Implementation





Back to the general picture



System Implementation

NICTA Security Architecture ? In minimal Trusted Computing Base

Problem: reality is not that simple

Back to the example



This is what we agree on the whiteboard

Now we need to implement this with actual kernel objects



Back to the example



This is what we agree on the whiteboard

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capability distribution

Back to the general picture







1a. minimal Trusted Computing Base

1b. verified set-up (preferably automatic)

1c. verified abstraction (preferably automatic)

→ used for the security analysis

Example: $obj1 \equiv Tcb[0 \mapsto CNodeCap 3, ...]$ $obj3 \equiv CNode[302 \mapsto CNodeCap \ 9 \ Read \ , ...]$

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System Implementation



eorem:
$$s_0 \stackrel{*}{\rightarrow} s \Rightarrow \mathcal{P}(s)$$

lemma sacSecurity:

 $(SAC-startup \rightarrow^* s) \Rightarrow$

 \neg is_contaminated s NicA



System Implementation

RW





eorem:
$$s_0 \stackrel{*}{\rightarrow} s \Rightarrow \mathcal{P}(s)$$

Where:
$$s_0 \equiv$$

$$s \to s' \equiv s \xrightarrow{t} s' \lor s \xrightarrow{u} s'$$

 $s \xrightarrow{t} s' \equiv let \ tc \in trusted_component(s) \ in \\ let \ prg = program(tc) \ in \\ let \ pc = program_counter(c,s) \ in \\ let \ i = inst(prg, pc) \ in \\ step(tc, s, i, s')$





System Implementation

Theorem: $s_0 \stackrel{*}{\rightarrow} s \Rightarrow \mathcal{P}(s)$

Where:
$$s_0 \equiv ||$$

$$s \to s' \equiv s \xrightarrow{t} s' \lor s \xrightarrow{u} s'$$

RИ

 $s \xrightarrow{t} s' \equiv let \ tc \in trusted_component(s) \ in$ $let \ prg = program(tc) \ in$ $let \ pc = program_counter(c, s) \ in$ $let \ i = inst(prg, pc) \ in$ step(tc, s, i, s')

 $s \xrightarrow{u} s' \equiv let \ uc \in untrusted_components(s) \ in step(uc, s, any_inst, s')$



Agenda



Verified TCB



Agenda



Proof of access control



What is AC good for?





What is AC good for?



		P? • • • •	 Examples R does not write to NicB if it does not have a write capability to it R does not change RM's program counter
Linu	Trusted	what	stion: for all operation <i>op</i> s.t. $s \xrightarrow{op} s'$ is allowed to change in s'?

Example

If **op** is **set_thread_state tcb_b v** If **tcb_a** is running in state **s** where **s** is:



Then in which condition may **tcb_b** change

and what is allowed to change?

NICTA

Example

If op is set_thread_state tcb_b v If **tcb_a** is running in state **s** where **s** is:



Obvious (but wrong) solution:

only the thread-state field of **tcb_b** is allowed to divange and only under the following condition

- tcb_a has a can to
- Policy closely depends on state ..._o is waiting on in state s - or tck - or **tcb**
 - untyped region containing tcb_b, in state s
- or ...

Solution: Labelling







If **A** is the running label in **G** then for any operation **op** that changes **s** to **s**', for any object **obj** of label **B**,

obj can only be changed if **A=B** or in 4 small precise cases, as: "**obj** is a TCB blocked on an endpoint of label **EP**, and $(\mathbf{A}, \text{Send}, \mathbf{EP}) \subseteq \mathbf{G}$

and only the thread-state of **obj** can be changed, to Running"



Agenda



Conclusion



Conclusion









Questions?