

# Using the Cambridge ARM model to verify the concrete machine code of seL4

Magnus Myreen<sup>1,2</sup>, Thomas Sewell<sup>1</sup>, Michael Norrish<sup>1</sup> and Gerwin Klein<sup>1</sup>

<sup>1</sup> NICTA, Australia

<sup>2</sup> University of Cambridge, UK



UNIVERSITY OF  
CAMBRIDGE

# L4.verified

seL4 = a formally verified general-purpose microkernel

# L4.verified

seL4 = a formally verified general-purpose microkernel

about 10,000 lines of C code and assembly

# L4.verified

seL4 = a formally verified general-purpose microkernel

about 10,000 lines of C code and assembly

200,000 lines of Isabelle/HOL proofs

# Assumptions

L4.verified project assumes correctness of:

- ▶ C compiler (gcc)
- ▶ inline assembly
- ▶ hardware
- ▶ hardware management
- ▶ boot code
- ▶ virtual memory

# Assumptions

L4.verified project assumes correctness of:

- ~~▶ C compiler (gcc)~~
- ▶ inline assembly
- ▶ hardware
- ▶ hardware management
- ▶ boot code
- ▶ virtual memory

The aim of this work is to remove the first assumption.

# Assumptions

L4.verified project assumes correctness of:

- ~~▶ C compiler (gcc)~~
- ▶ inline assembly
- ▶ hardware
- ▶ hardware management
- ▶ boot code
- ▶ virtual memory
- ▶ Cambridge ARM model

The aim of this work is to remove the first assumption.

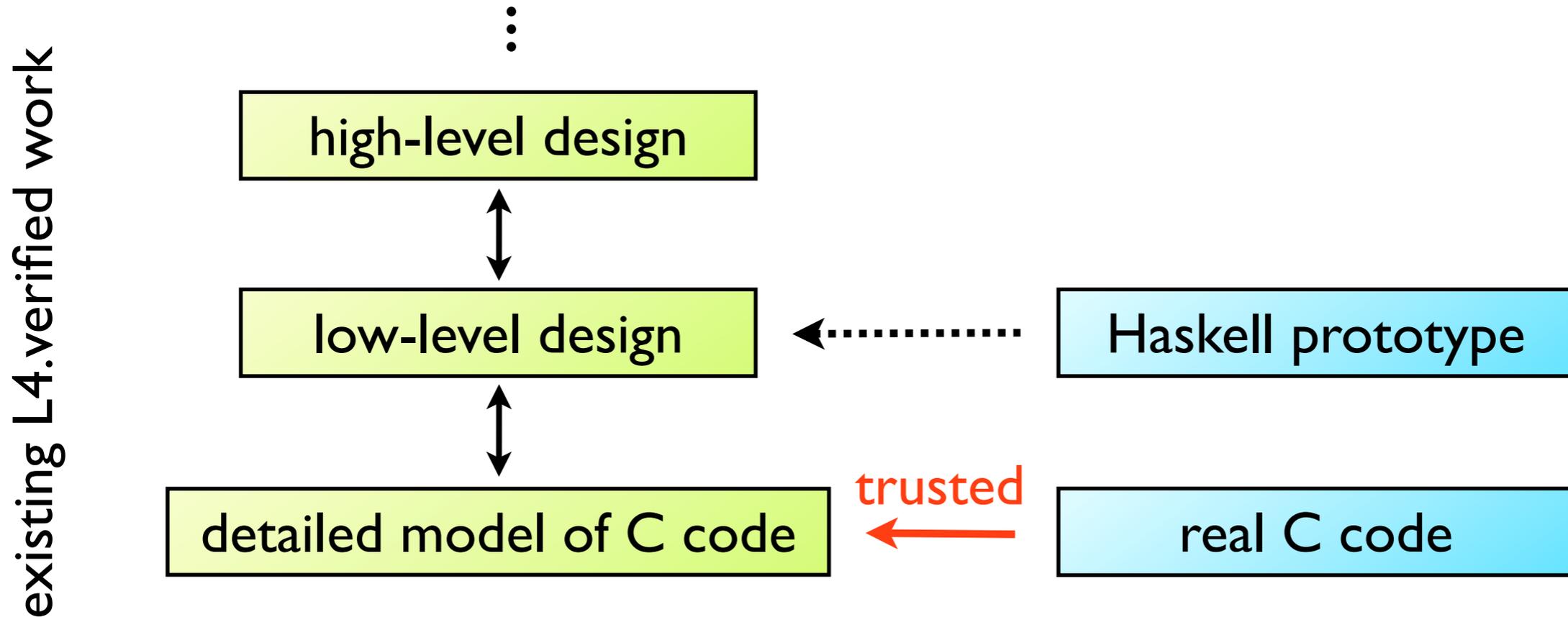
# Assumptions

L4.verified project assumes correctness of:

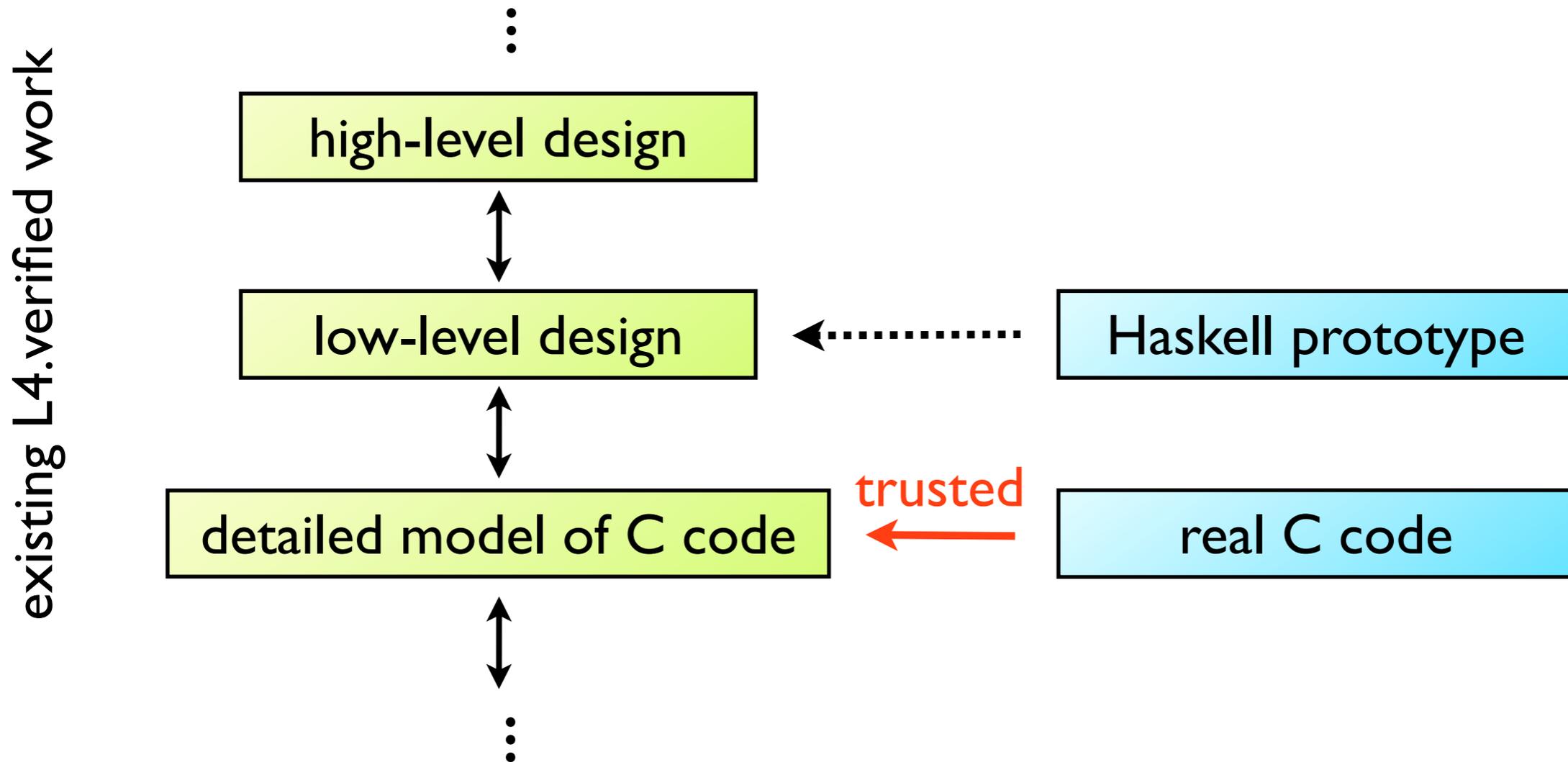
- ~~▶ C compiler (gcc)~~
- ▶ inline assembly (?)
- ▶ hardware
- ▶ hardware management
- ▶ boot code (?)
- ▶ virtual memory
- ▶ Cambridge ARM model

The aim of this work is to remove the first assumption.

# Aim: extend downwards

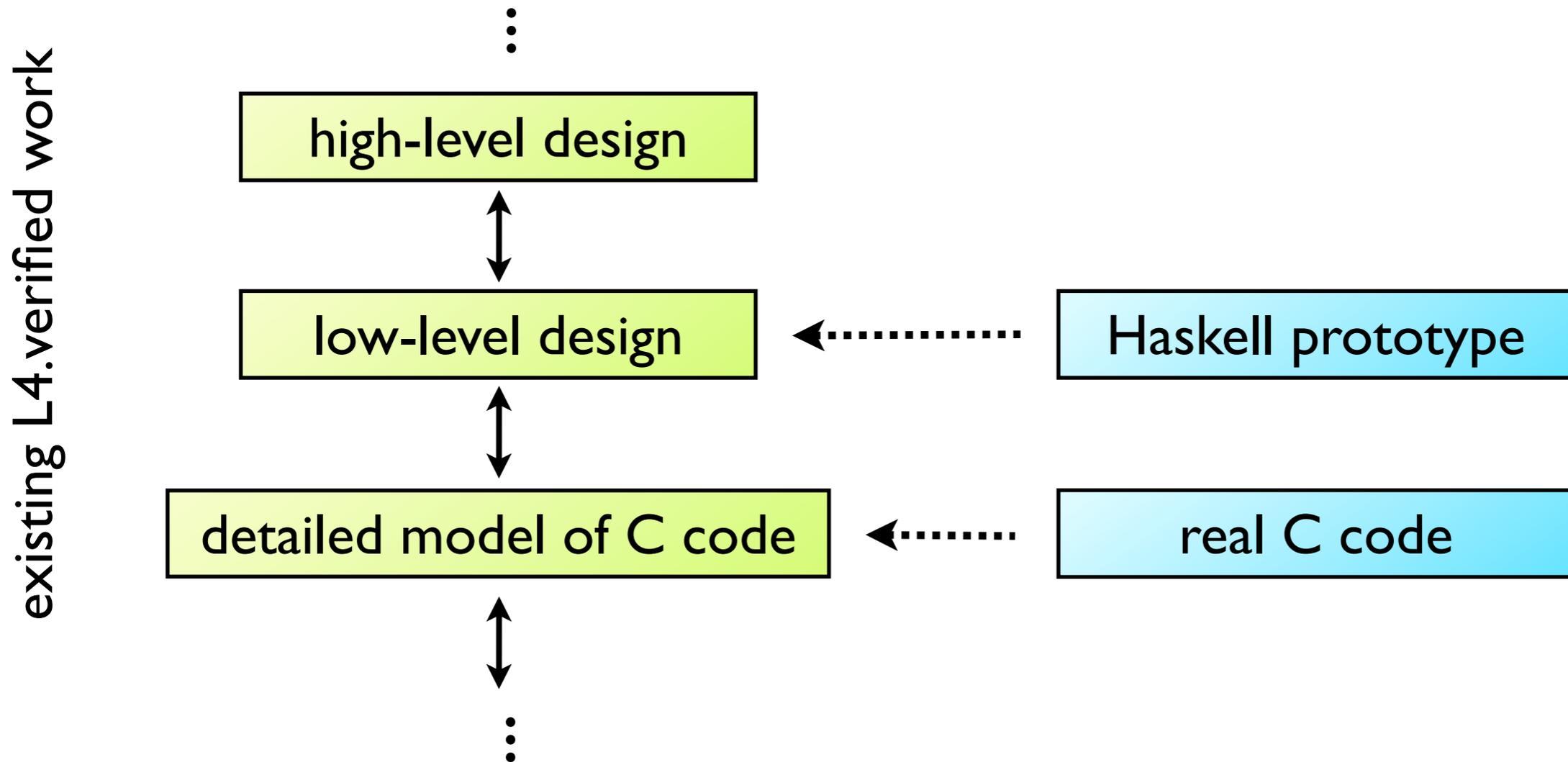


# Aim: extend downwards



Aim: remove need to trust C compiler and C semantics

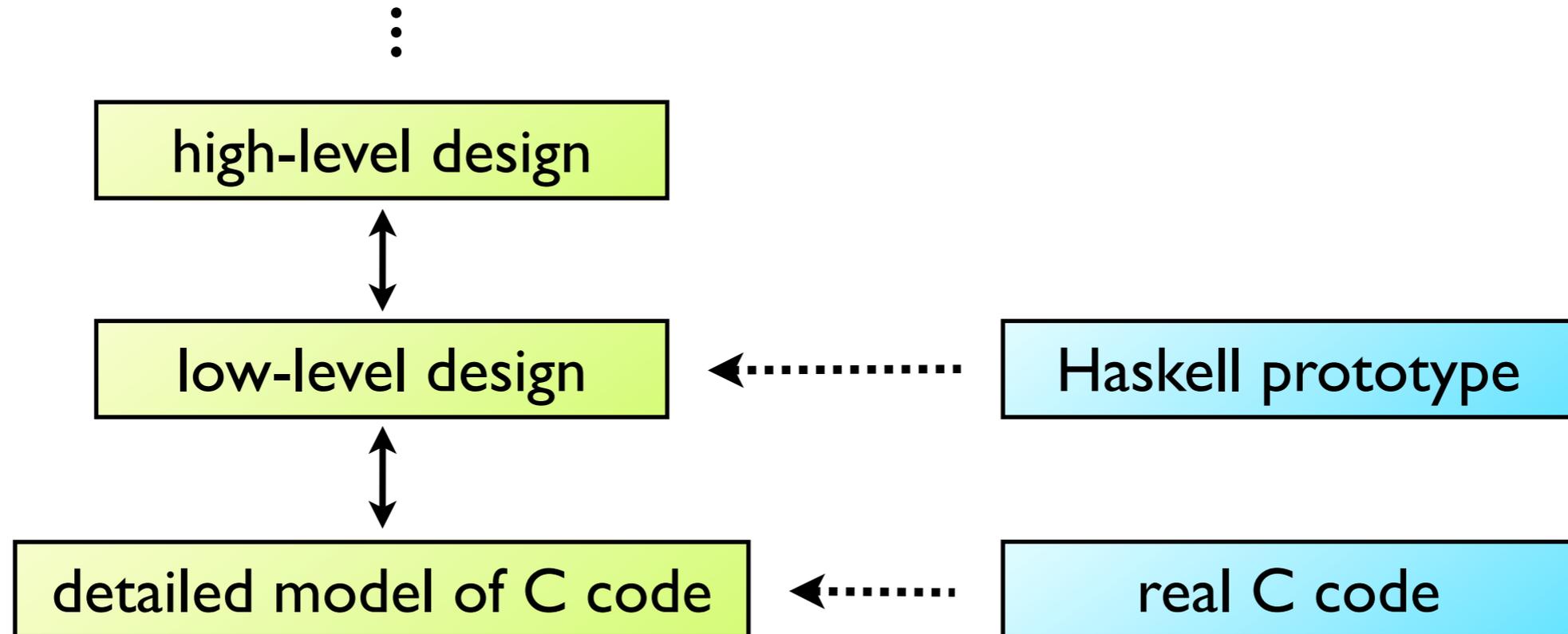
# Aim: extend downwards



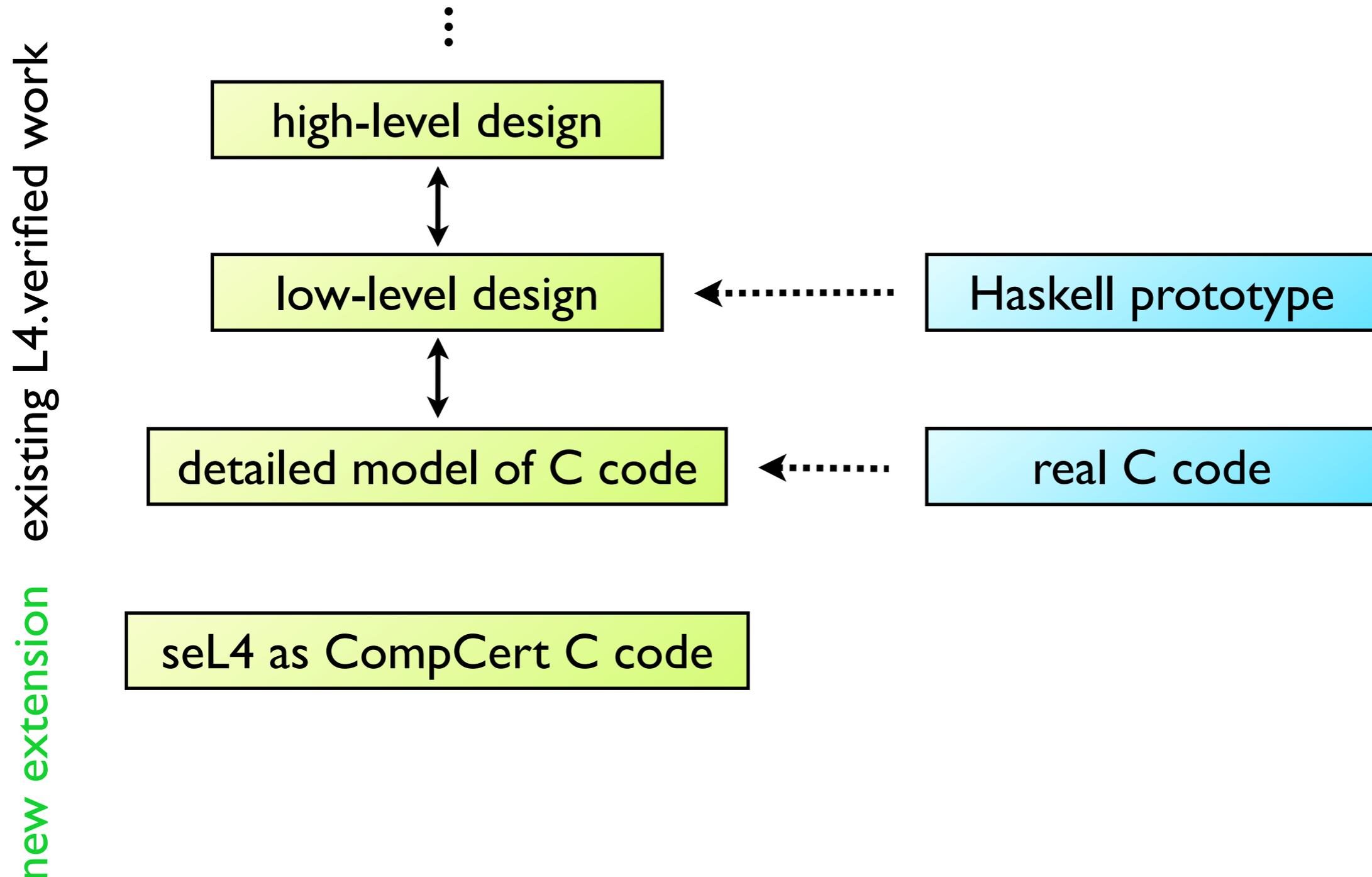
Aim: remove need to trust C compiler and C semantics

# Connection to CompCert

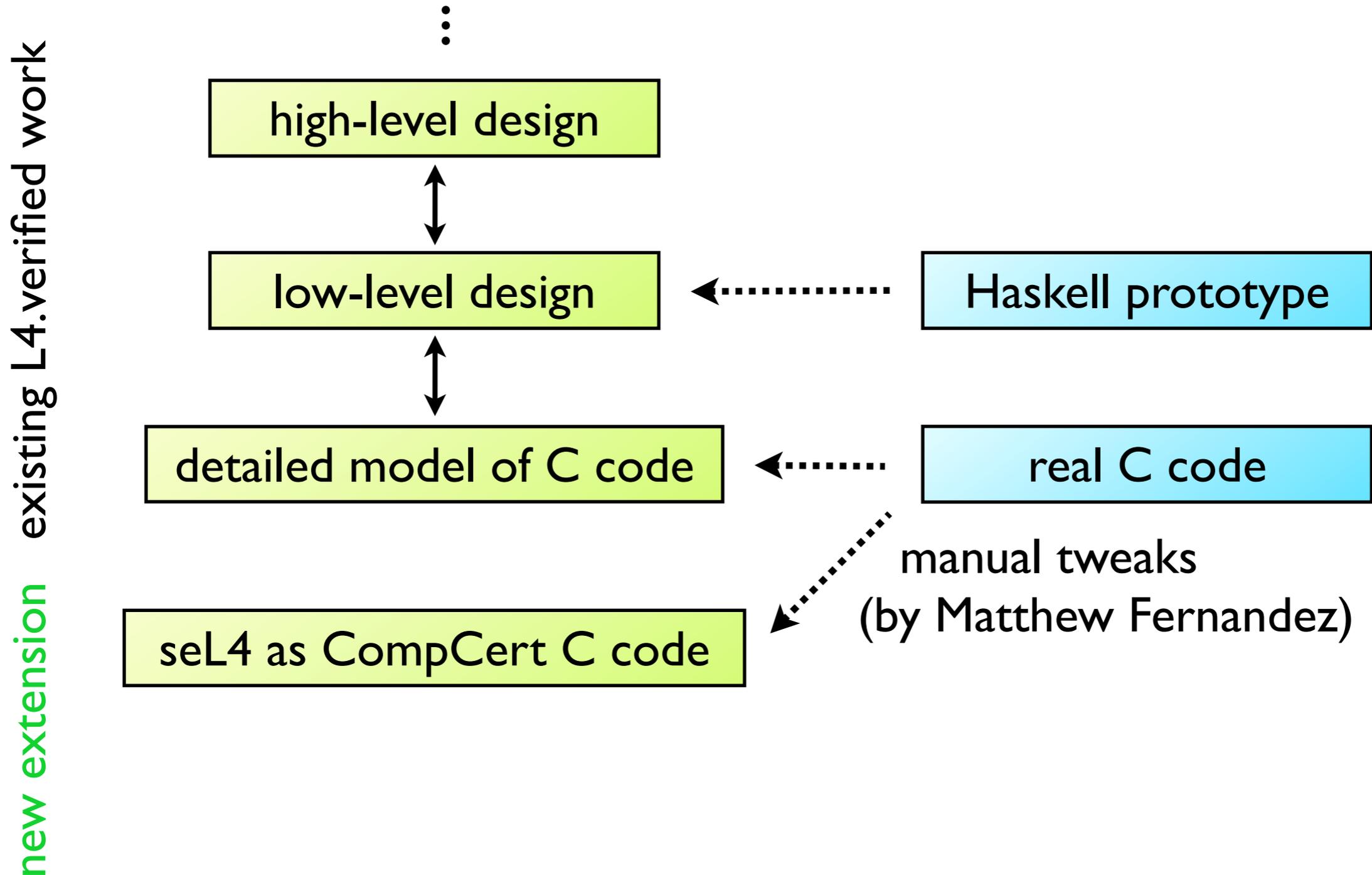
new extension existing L4.verified work



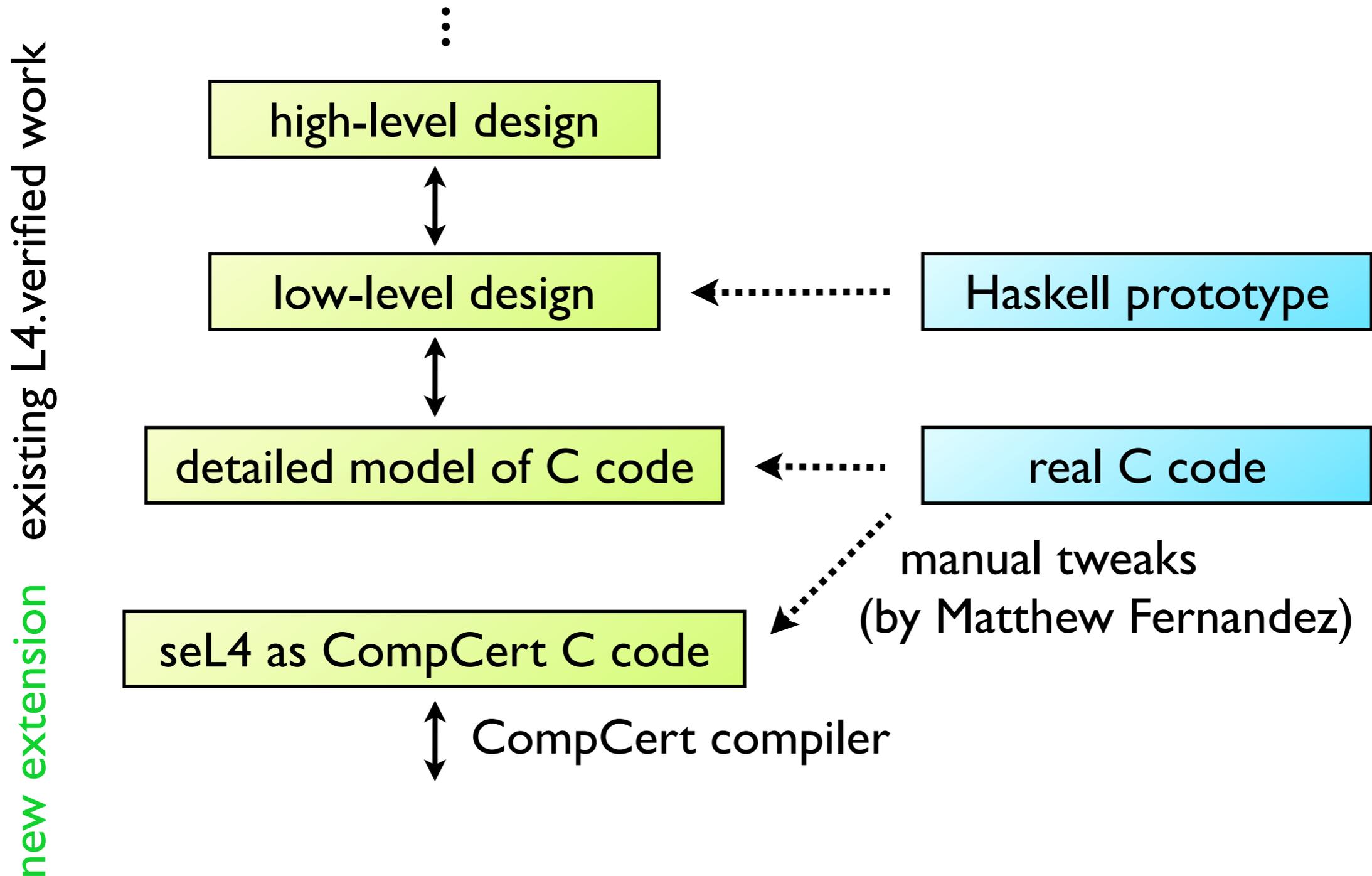
# Connection to CompCert



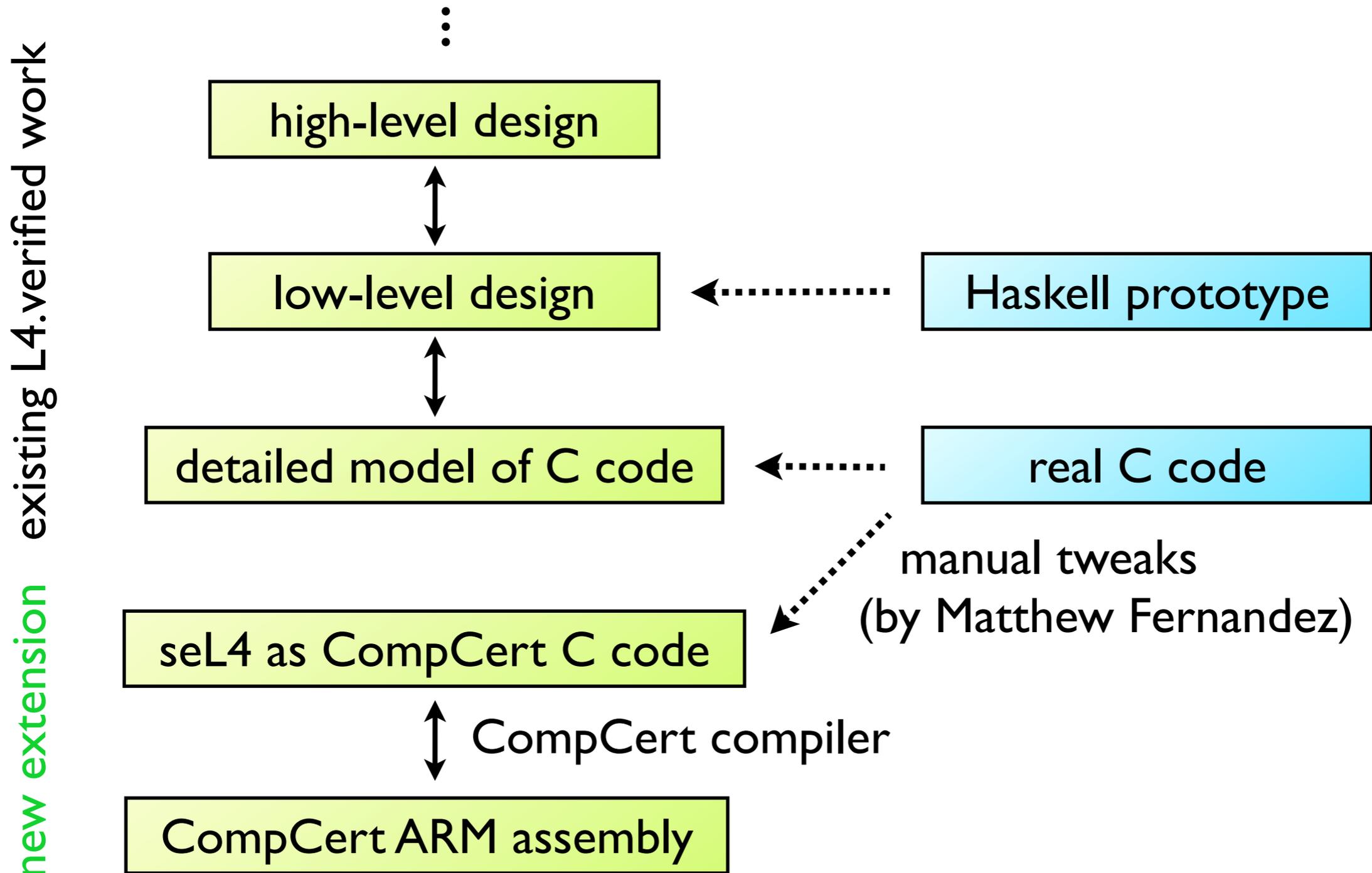
# Connection to CompCert



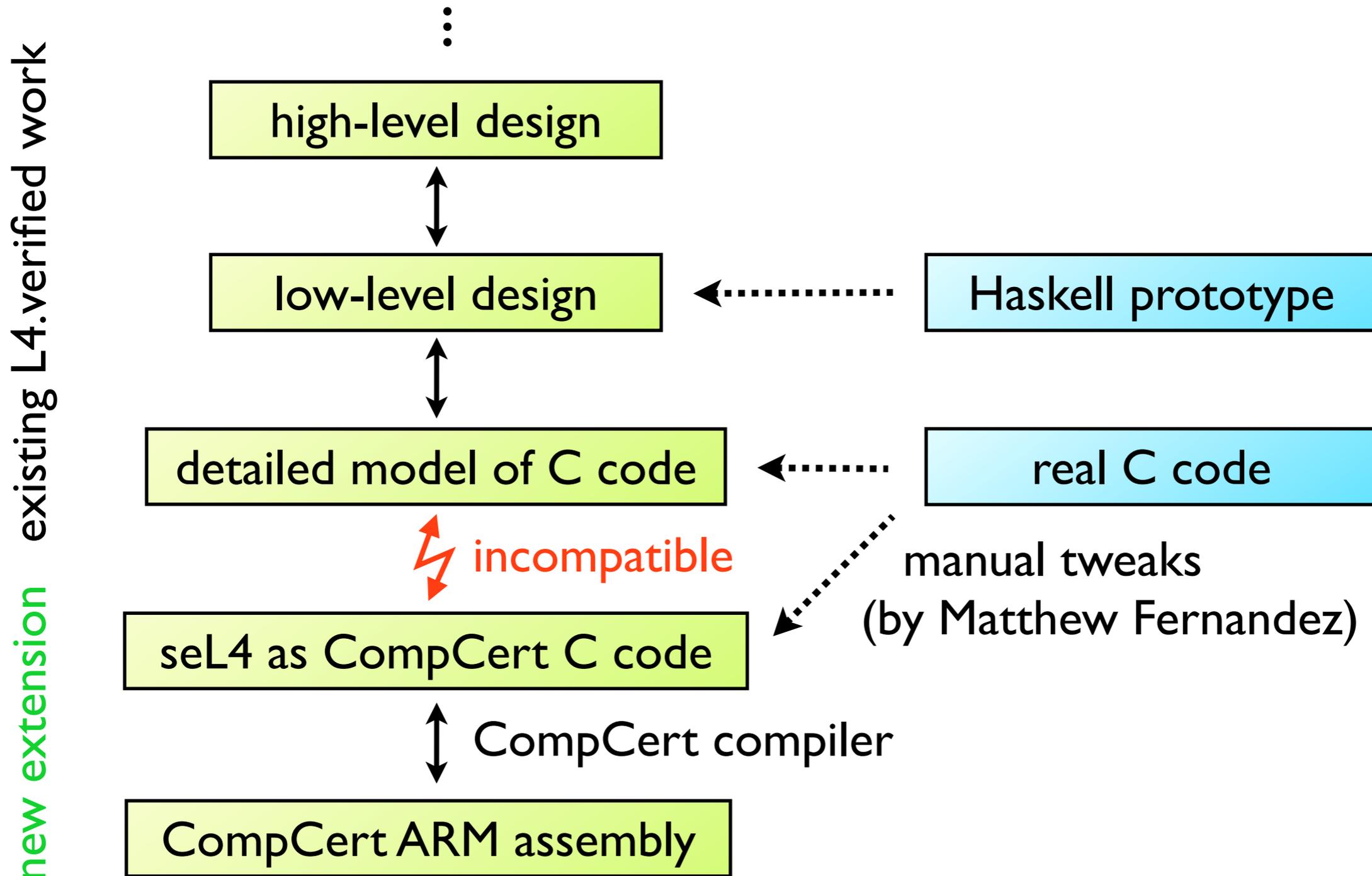
# Connection to CompCert



# Connection to CompCert

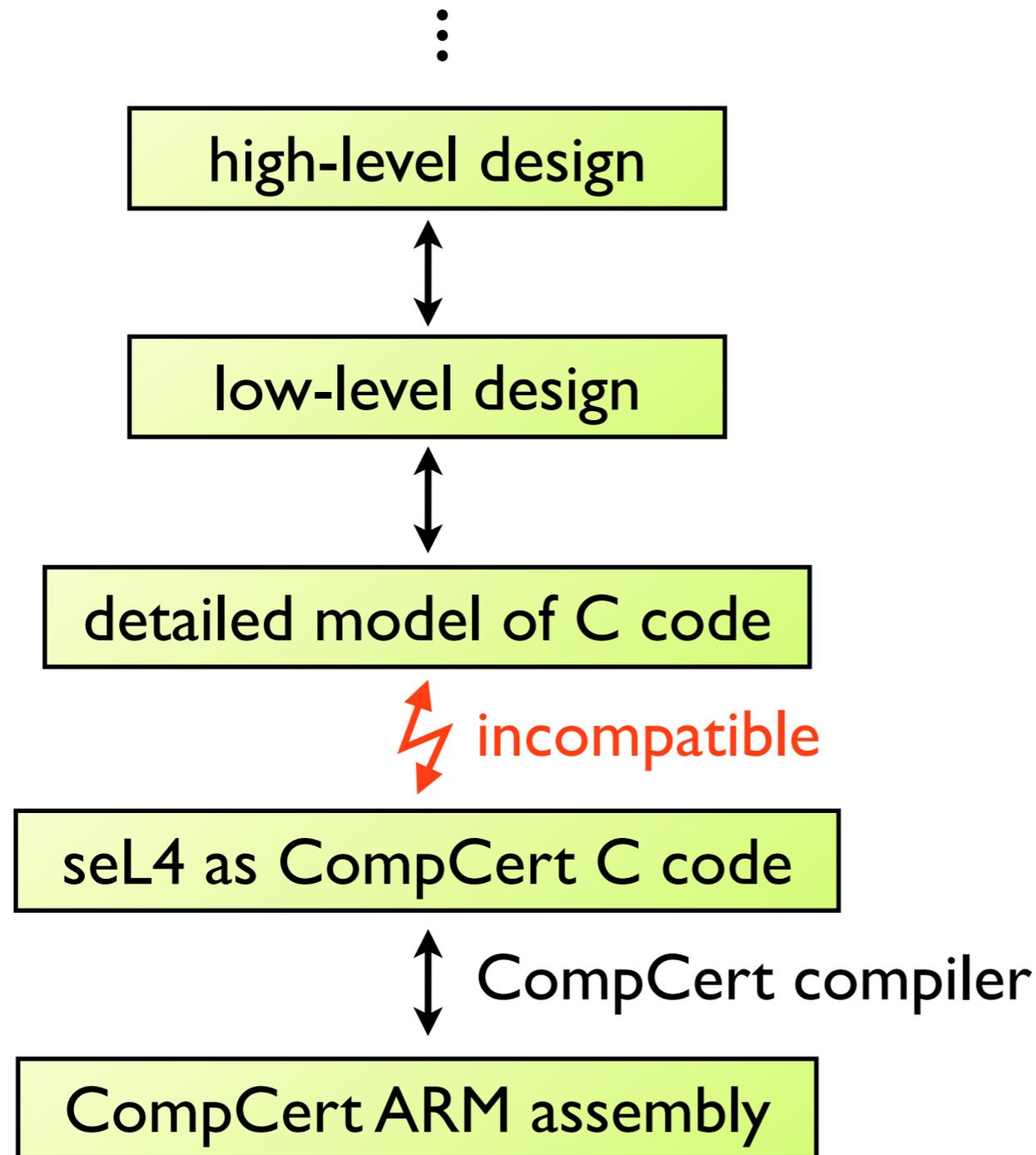


# Connection to CompCert



# Connection to CompCert

existing L4.verified work  
new extension

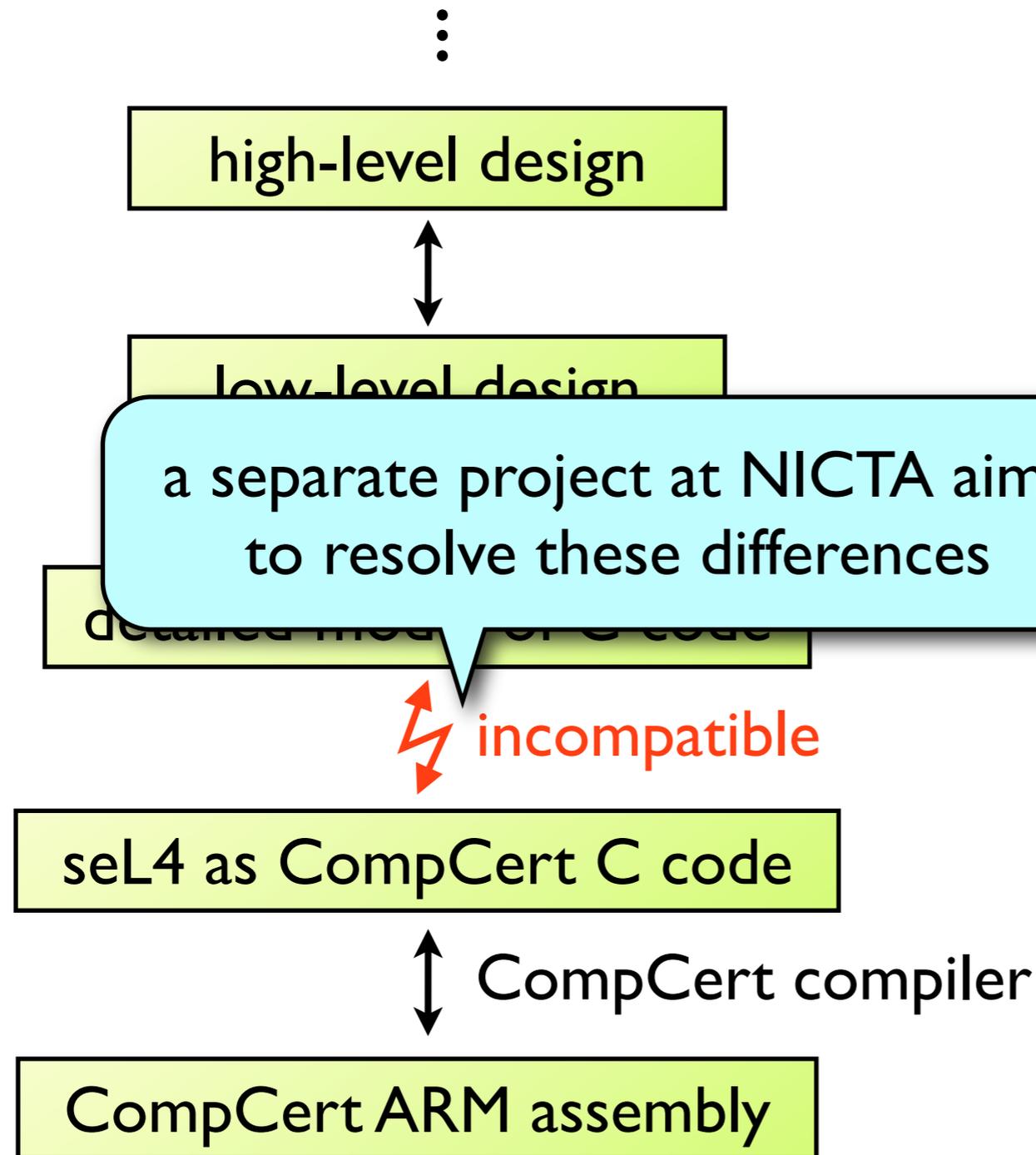


Incompatible:

- different view on what valid C is
- pointers treated differently
- memory more abstract in CompCert C sem.
- different provers (Coq and Isabelle)

# Connection to CompCert

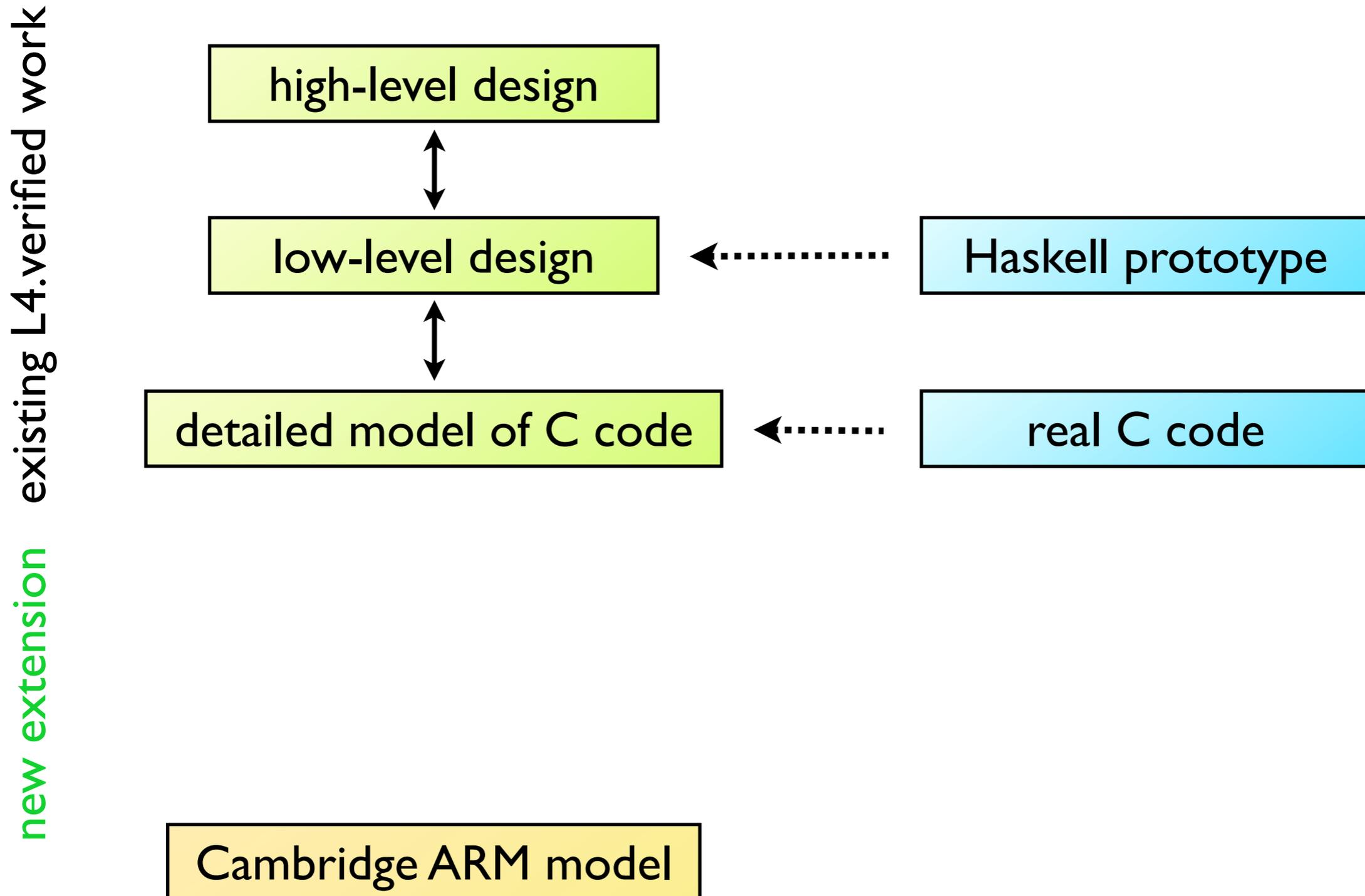
existing L4.verified work  
new extension



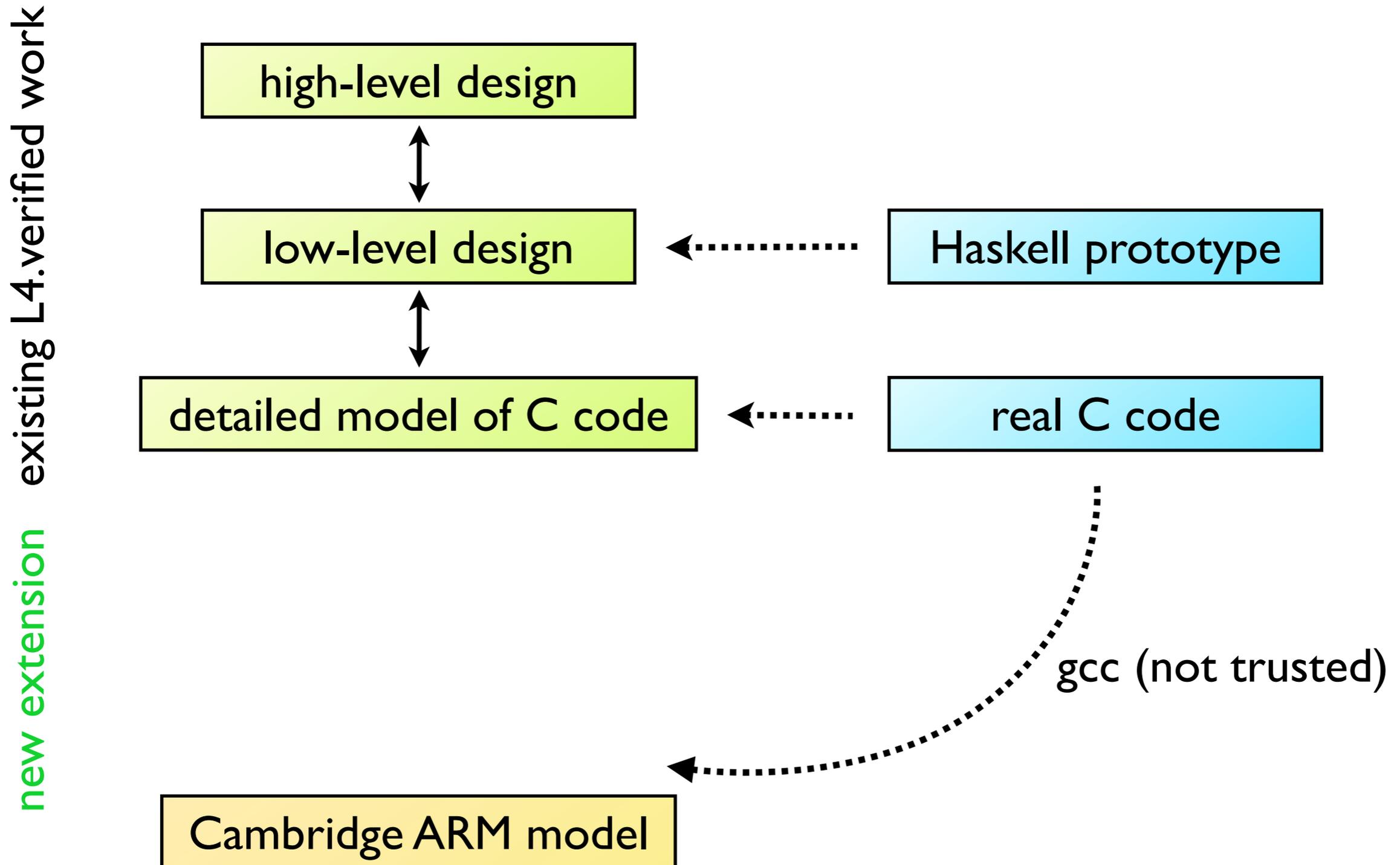
Incompatible:

- different view on what valid C is
- pointers treated differently
- memory more abstract in CompCert C sem.
- different provers (Coq and Isabelle)

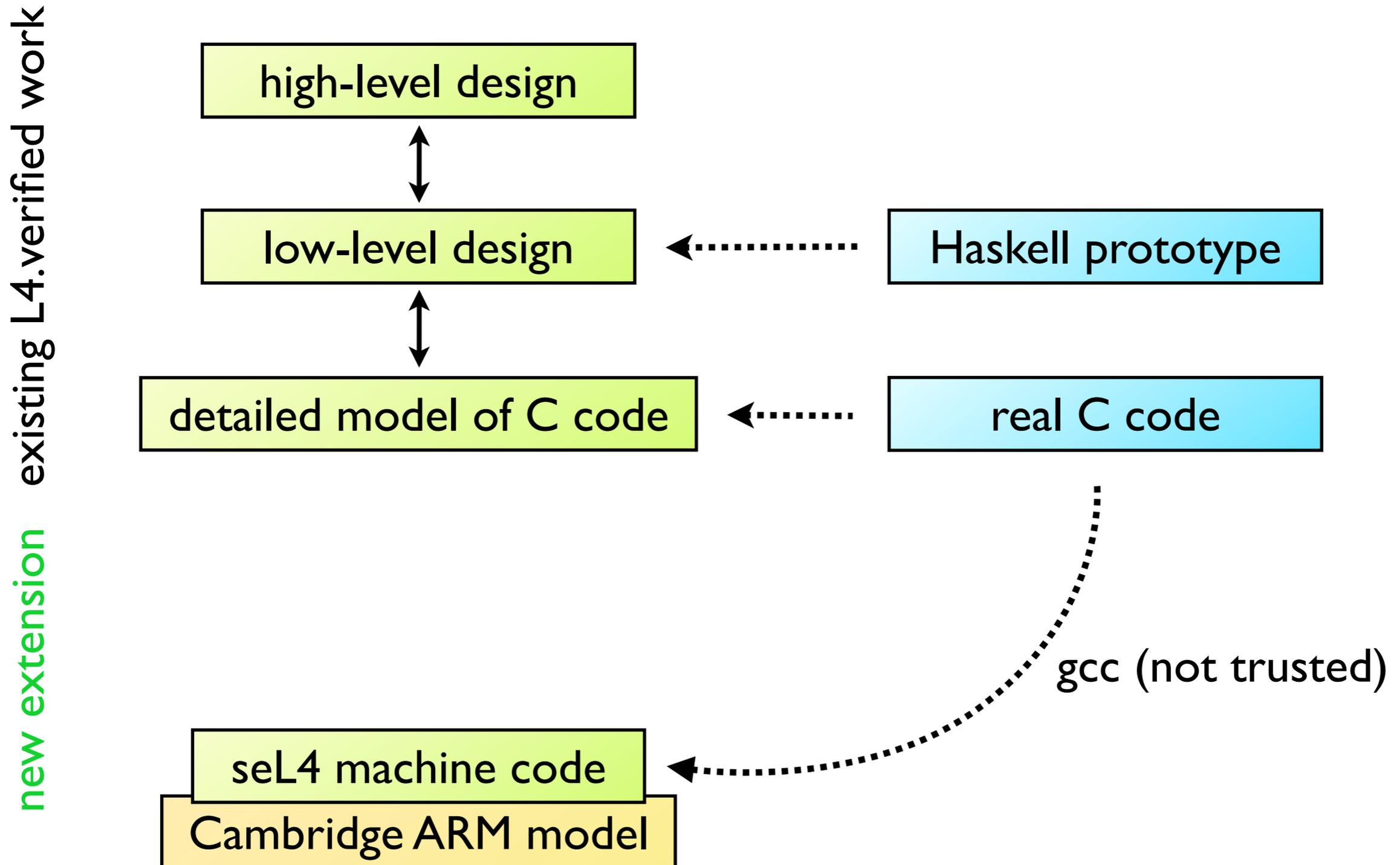
# Using Cambridge ARM model



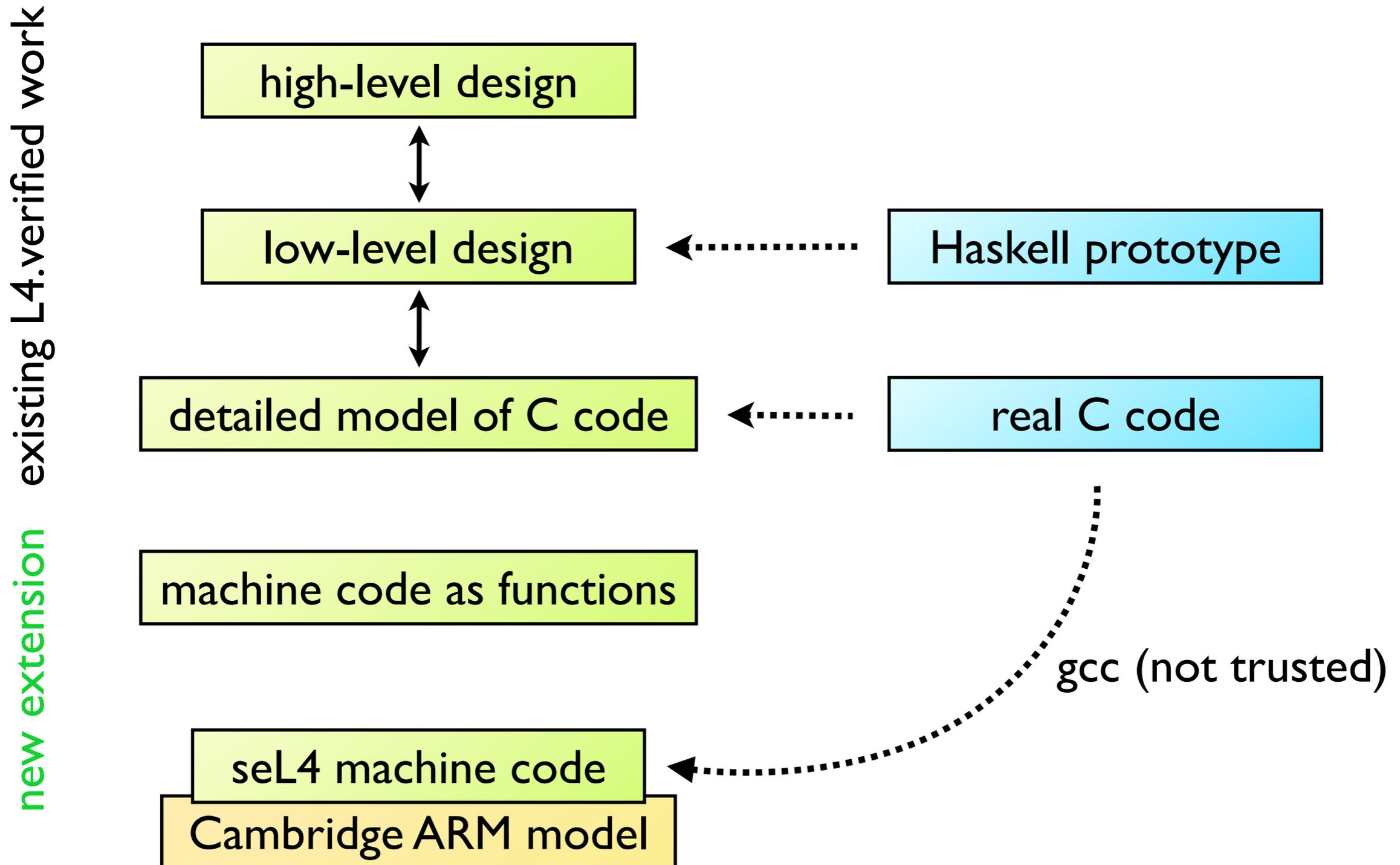
# Using Cambridge ARM model



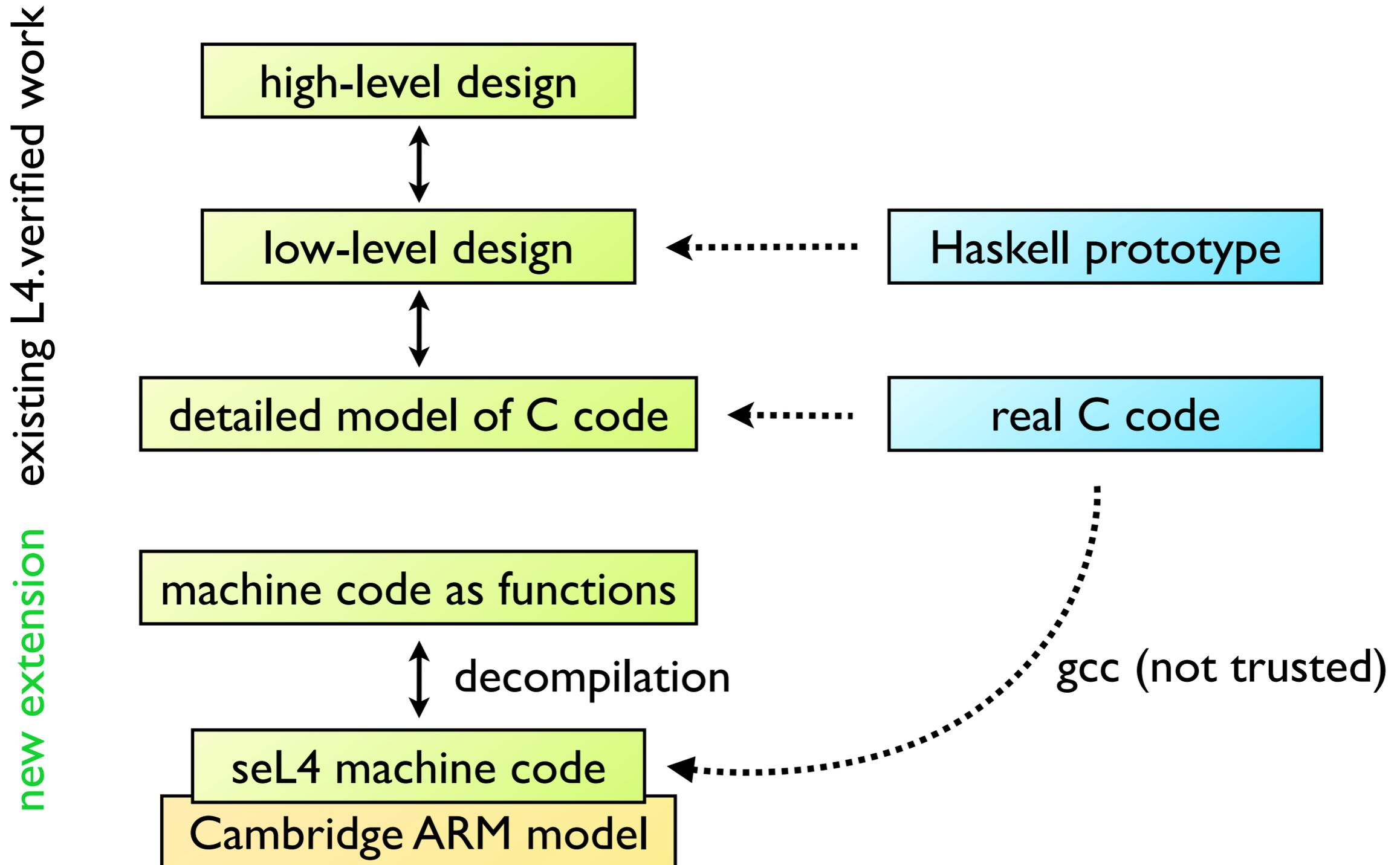
# Using Cambridge ARM model



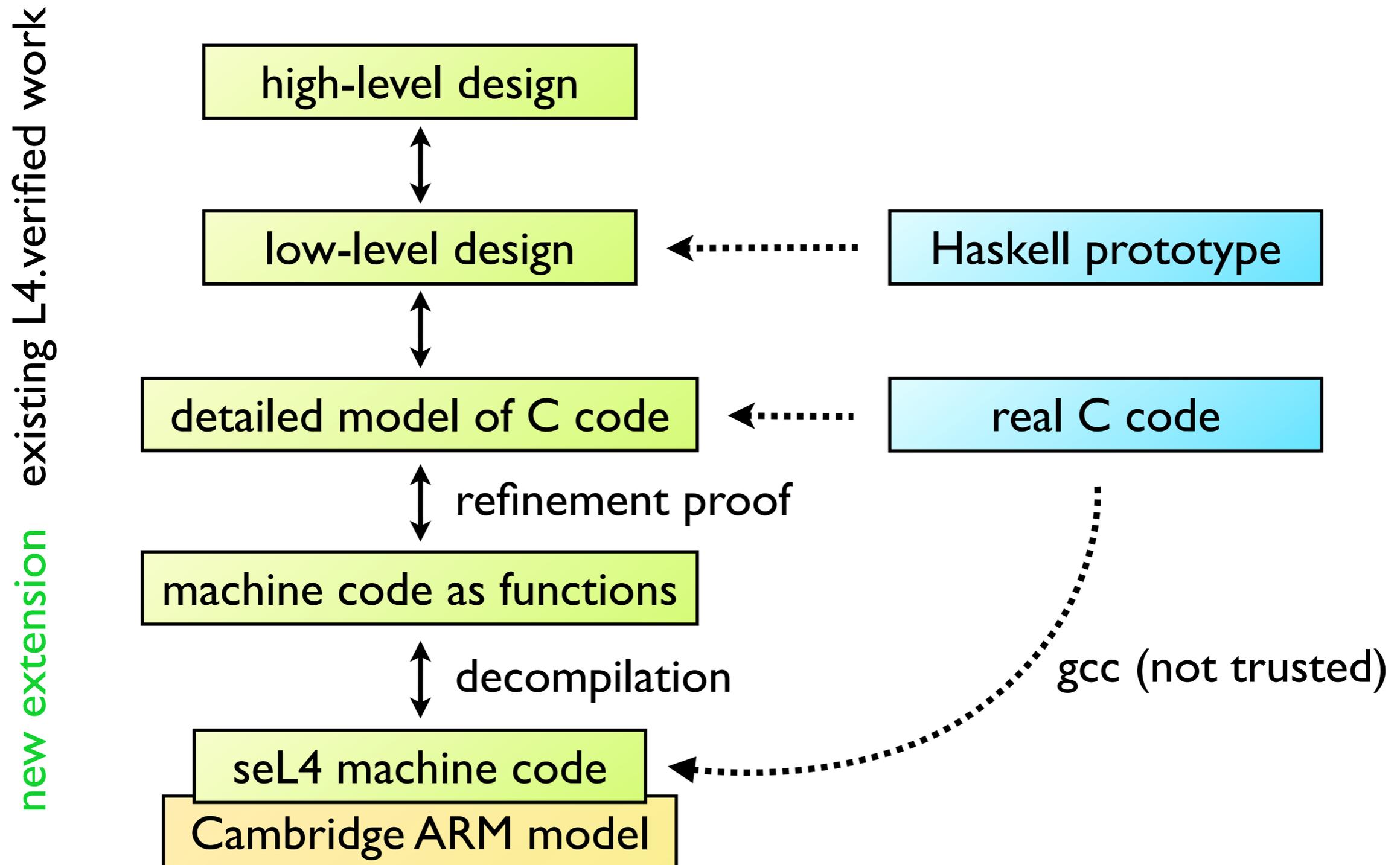
# Using Cambridge ARM model



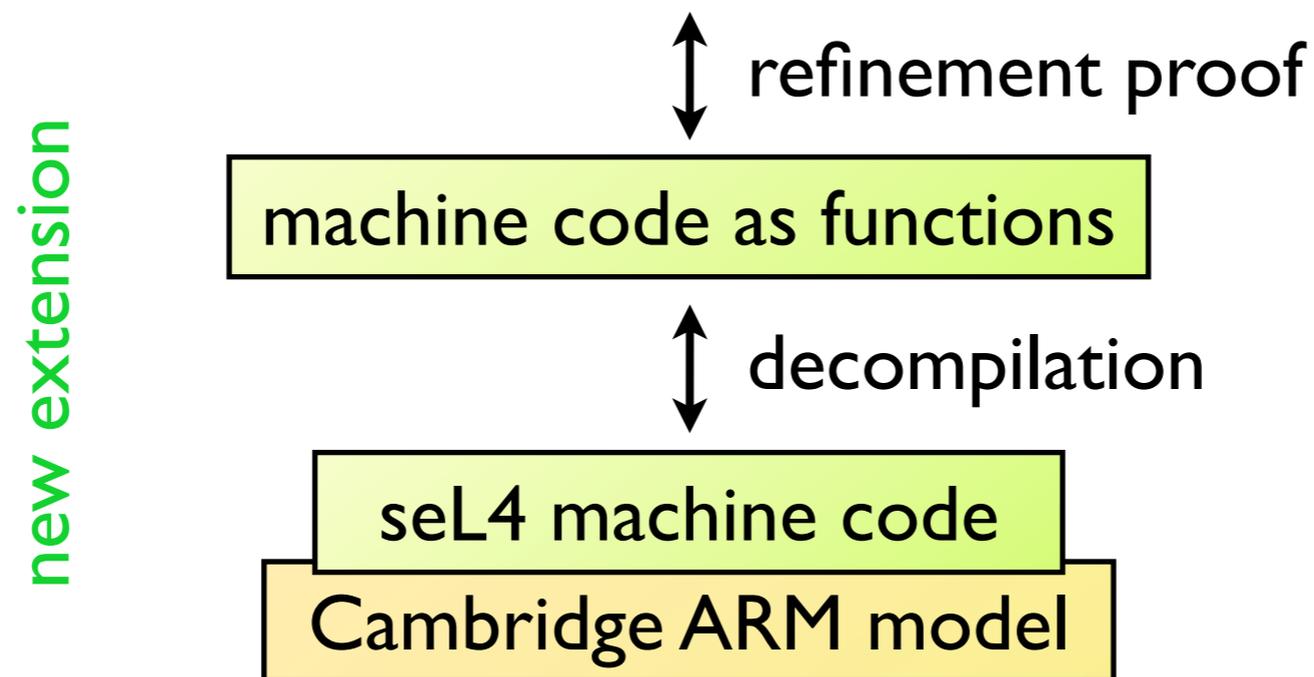
# Using Cambridge ARM model



# Using Cambridge ARM model



# Talk outline



- automatic translation / decompilation
- progress and lessons learnt

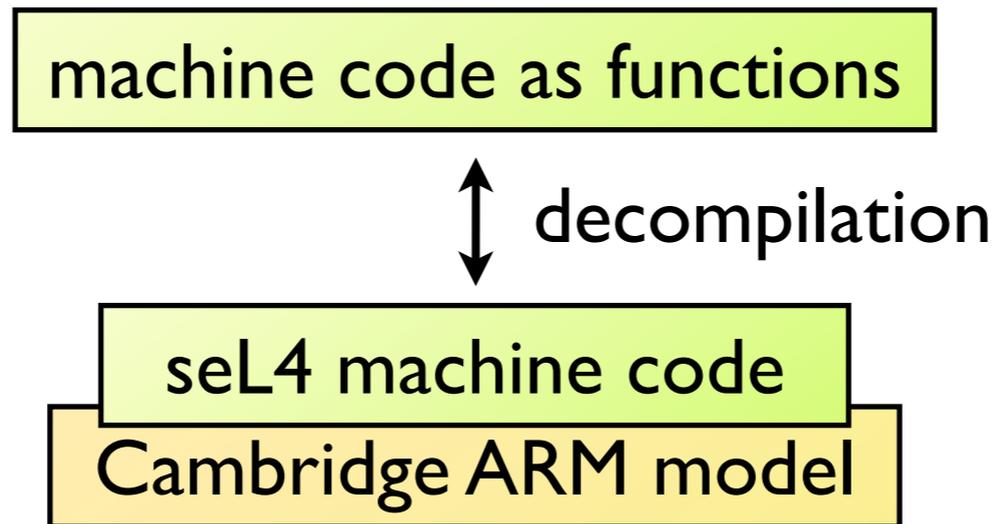
# Cambridge ARM model

Cambridge ARM model developed by Anthony Fox

- high-fidelity model of the ARM instruction set architecture formalised in HOL4 theorem prover
- originates in a project on hardware verification (ARM6 verification)
- extensively tested against different hardware implementations

Web: <http://www.cl.cam.ac.uk/~acjf3/arm/>

# Stage 1: decompilation



# Decompilation

Sample C code:

```
uint avg (uint i, uint j) {  
    return (i + j) / 2;  
}
```

# Decompilation

Sample C code:

```
uint avg (uint i, uint j) {  
    return (i + j) / 2;  
}
```

gcc  
→  
(not trusted)

machine code:

```
e0810000  add  r0, r1, r0  
e1a000a0  lsr  r0, r0, #1  
e12fff1e  bx   lr
```

# Decompilation

Sample C code:

```
uint avg (uint i, uint j) {  
    return (i + j) / 2;  
}
```

gcc  
→  
(not trusted)

machine code:

```
e0810000  add  r0, r1, r0  
e1a000a0  lsr  r0, r0, #1  
e12fff1e  bx   lr
```

decompilation via ARM model

Resulting function:

```
avg (r0, r1) = let r0 = r1 + r0 in  
               let r0 = r0 >> 1 in  
               r0
```

# Decompilation

Sample C code:

```
uint avg (uint i, uint j) {  
    return (i + j) / 2;  
}
```

gcc  
—————  
(not trusted)

machine code:

```
e0810000  add  r0, r1, r0  
e1a000a0  lsr  r0, r0, #1  
e12fff1e  bx   lr
```

decompilation via ARM model

Resulting function:

```
avg (r0, r1) = let r0 = r1 + r0 in  
               let r0 = r0 >> 1 in  
               r0
```

HOL4 certificate theorem:

```
{ R0 i * RI j * LR lr * PC p }  
p : e0810000 e1a000a0 e12fff1e  
{ R0 (avg(i,j)) * RI _ * LR _ * PC lr }
```

# Decompilation

Sample C code:

```
uint avg (uint i, uint j) {  
    return (i + j) / 2;  
}
```

gcc  
→  
(not trusted)

machine code:

```
e0810000  add  r0, r1, r0  
e1a000a0  lsr  r0, r0, #1  
e12fff1e  bx   lr
```

decompilation

return instruction

Resulting function:

```
avg (r0, r1) = let r0 = r1 + r0 in  
              let r0 = r0 >> 1 in  
              r0
```

HOL4 certificate theorem:

```
{ R0 i * RI j * LR lr * PC p }  
p : e0810000 e1a000a0 e12fff1e  
{ R0 (avg(i,j)) * RI _ * LR _ * PC lr }
```

# Decompilation

Sample C code:

```
uint avg (uint i, uint j) {  
    return (i + j) / 2;  
}
```

gcc  
→  
(not trusted)

machine code:

```
e0810000  add  r0, r1, r0  
e1a000a0  lsr  r0, r0, #1  
e12fff1e  bx   lr
```

decompilation

return instruction

bit-string arithmetic

Resulting function:

```
avg (r0, r1) = let r0 = r1 + r0 in  
               let r0 = r0 >> 1 in  
               r0
```

HOL4 certificate theorem:

```
{ R0 i * RI j * LR lr * PC p }  
p : e0810000 e1a000a0 e12fff1e  
{ R0 (avg(i,j)) * RI _ * LR _ * PC lr }
```

# Decompilation

Sample C code:

```
uint avg (uint i, uint j) {  
    return (i + j) / 2;  
}
```

gcc  
↓  
(not trusted)

machine code:

```
e0810000  add  r0, r1, r0  
e1a000a0  lsr  r0, r0, #1  
e12fff1e  bx   lr
```

decompilation

return instruction

bit-string arithmetic

Resulting function:

```
avg (r0, r1) = let r0 = r1 + r0 in  
               let r0 = r0 >> 1 in  
               r0
```

bit-string right-shift

HOL4 certificate theorem:

```
{ R0 i * RI j * LR lr * PC p }  
p : e0810000 e1a000a0 e12fff1e  
{ R0 (avg(i,j)) * RI _ * LR _ * PC lr }
```

# Decompilation

Sample C code:

```
uint avg (uint i, uint j) {  
  return (i + j) / 2;  
}
```

gcc  
↓  
(not trusted)

machine code:

```
e0810000  add  r0, r1, r0  
e1a000a0  lsr  r0, r0, #1  
e12fff1e  bx   lr
```

decompilation

return instruction

bit-string arithmetic

Resulting function:

```
avg (r0, r1) = let r0 = r1 + r0 in  
              let r0 = r0 >> 1 in  
              r0
```

bit-string right-shift

HOL4 certificate theorem:

```
{ R0 i * RI j * LR lr * PC p }  
p : e0810000 e1a000a0 e12fff1e  
{ R0 (avg(i,j)) * RI _ * LR _ * PC lr }
```

separation logic: \*

# Decompilation

How to decompile:

```
e0810000  add  r0, r1, r0
e1a000a0  lsr  r0, r0, #1
e12fff1e  bx   lr
```

# Decompilation

How to decompile:

e0810000

e0810000 add r0, r1, r0

e1a000a0 lsr r0, r0, #1

e12fff1e bx lr

e1a000a0

e12fff1e

# Decompilation

{ R0 i \* RI j \* PC p }  
p+0 : e0810000  
{ R0 (i+j) \* RI j \* PC (p+4) }

{ R0 i \* PC (p+4) }  
p+4 : e1a000a0  
{ R0 (i >> I) \* PC (p+8) }

{ LR lr \* PC (p+8) }  
p+8 : e12fff1e  
{ LR lr \* PC lr }

How to decompile:

```
e0810000  add  r0, r1, r0
e1a000a0  lsr  r0, r0, #1
e12fff1e  bx   lr
```

1. derive Hoare triple theorems  
using Cambridge ARM model

# Decompilation



$\{ R0\ i * R1\ j * PC\ p \}$   
p+0 : e0810000  
 $\{ R0\ (i+j) * R1\ j * PC\ (p+4) \}$

$\{ R0\ i * PC\ (p+4) \}$   
p+4 : e1a000a0  
 $\{ R0\ (i >> 1) * PC\ (p+8) \}$

$\{ LR\ lr * PC\ (p+8) \}$   
p+8 : e12fff1e  
 $\{ LR\ lr * PC\ lr \}$

$\{ R0\ i * R1\ j * LR\ lr * PC\ p \}$   
p : e0810000 e1a000a0 e12fff1e  
 $\{ R0\ ((i+j) >> 1) * R1\ j * LR\ lr * PC\ lr \}$

## How to decompile:

```
e0810000  add  r0, r1, r0
e1a000a0  lsr  r0, r0, #1
e12fff1e  bx   lr
```

1. derive Hoare triple theorems using Cambridge ARM model
2. compose Hoare triples

# Decompilation

$\{ R0\ i * R1\ j * PC\ p \}$   
p+0 : e0810000  
 $\{ R0\ (i+j) * R1\ j * PC\ (p+4) \}$

$\{ R0\ i * PC\ (p+4) \}$   
p+4 : e1a000a0  
 $\{ R0\ (i >> 1) * PC\ (p+8) \}$

$\{ LR\ lr * PC\ (p+8) \}$   
p+8 : e12fff1e  
 $\{ LR\ lr * PC\ lr \}$

$\{ R0\ i * R1\ j * LR\ lr * PC\ p \}$   
p : e0810000 e1a000a0 e12fff1e  
 $\{ R0\ ((i+j) >> 1) * R1\ j * LR\ lr * PC\ lr \}$

How to decompile:

```
e0810000  add  r0, r1, r0
e1a000a0  lsr  r0, r0, #1
e12fff1e  bx   lr
```

1. derive Hoare triple theorems using Cambridge ARM model
  2. compose Hoare triples
  3. extract function
- (Loops result in recursive functions.)

3

$avg(i,j) = (i+j) >> 1$

# Decompiling seL4: Challenges

- seL4 is ~12,000 lines of machine code
- compiled using `gcc -O2`
- must be compatible with L4.verified proof

# Decompiling seL4: Challenges

- seL4 is ~12,000 lines of machine code
  - ✓ decompilation is compositional
- compiled using gcc -O2
- must be compatible with L4.verified proof

# Decompiling seL4: Challenges

- seL4 is ~12,000 lines of machine code
  - ✓ decompilation is compositional
- compiled using gcc -O2
  - ✓ gcc implements ARM/C calling convention
- must be compatible with L4.verified proof

# Decompiling seL4: Challenges

- seL4 is ~12,000 lines of machine code
  - ✓ decompilation is compositional
- compiled using gcc -O2
  - ✓ gcc implements ARM/C calling convention
- must be compatible with L4.verified proof
  - ➡ stack requires special treatment

# Stack visible in m. code

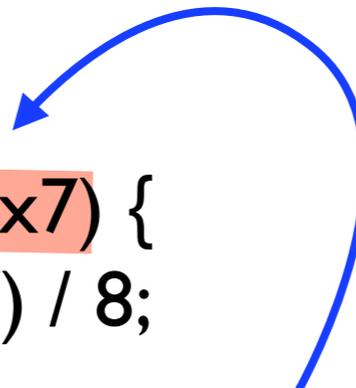
C code:

```
uint avg8 (uint x0, x1, x2, x3, x4, x5, x6, x7) {  
    return (x0+x1+x2+x3+x4+x5+x6+x7) / 8;  
}
```

# Stack visible in m. code

C code:

```
uint avg8 (uint x0, x1, x2, x3, x4, x5, x6, x7) {  
    return (x0+x1+x2+x3+x4+x5+x6+x7) / 8;  
}
```



Some arguments are passed on the stack,

# Stack visible in m. code

C code:

```
uint avg8 (uint x0, x1, x2, x3, x4, x5, x6, x7) {  
    return (x0+x1+x2+x3+x4+x5+x6+x7) / 8;  
}
```

Some arguments are passed on the stack,

gcc

```
add r1, r1, r0  
add r1, r1, r2  
ldr r2, [sp]  
add r1, r1, r3  
add r0, r1, r2  
ldmib sp, {r2, r3}  
add r0, r0, r2  
add r0, r0, r3  
ldr r3, [sp, #12]  
add r0, r0, r3  
lsr r0, r0, #3  
bx lr
```

# Stack visible in m. code

C code:

```
uint avg8 (uint x0, x1, x2, x3, x4, x5, x6, x7) {  
    return (x0+x1+x2+x3+x4+x5+x6+x7) / 8;  
}
```

gcc

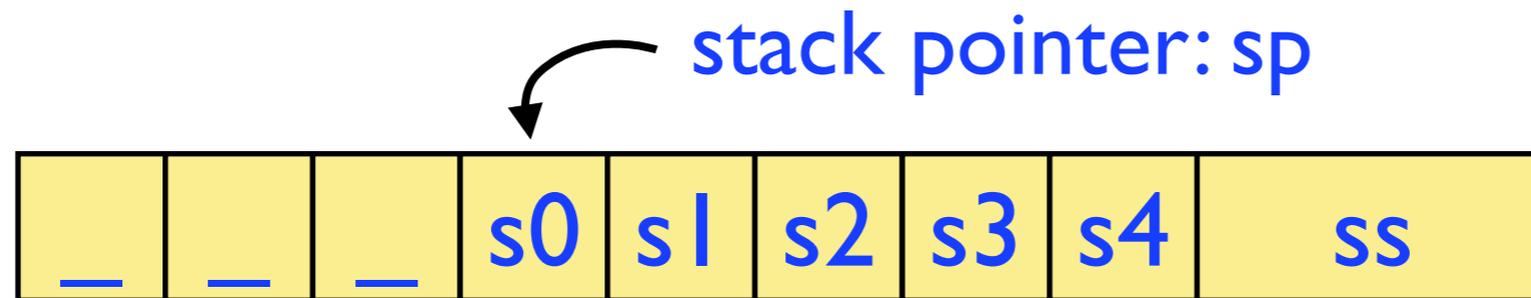
```
add r1, r1, r0  
add r1, r1, r2  
ldr r2, [sp]  
add r1, r1, r3  
add r0, r1, r2  
ldmib sp, {r2, r3}  
add r0, r0, r2  
add r0, r0, r3  
ldr r3, [sp, #12]  
add r0, r0, r3  
lsr r0, r0, #3  
bx lr
```

Some arguments are passed on the stack,  
and cause memory ops in machine code

... that are not  
present in C semantics.

# Solution

Use separation-logic inspired approach

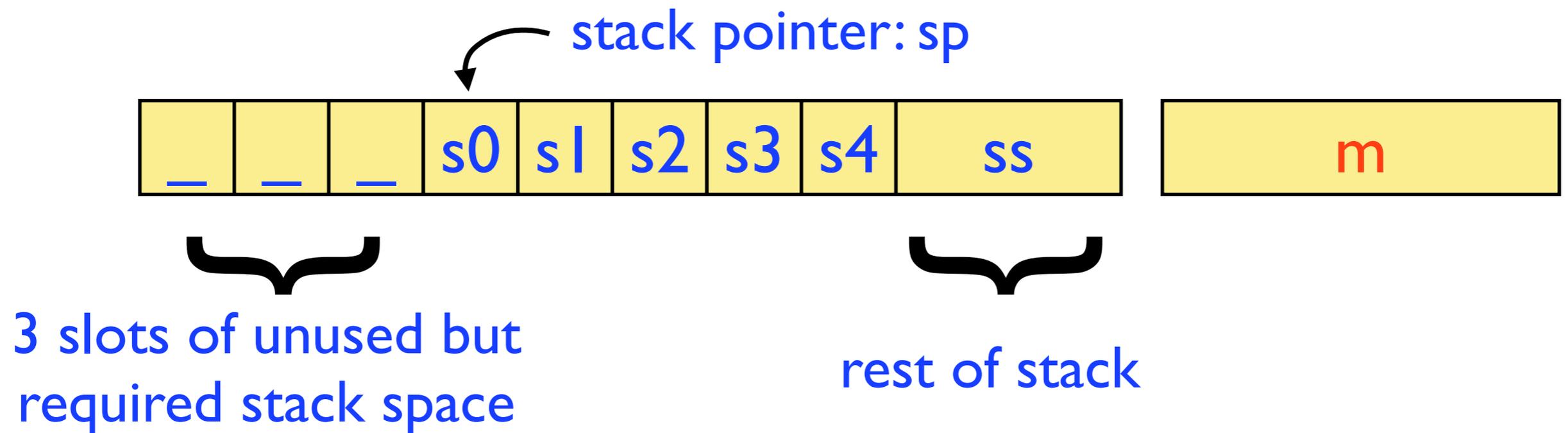


3 slots of unused but  
required stack space

rest of stack

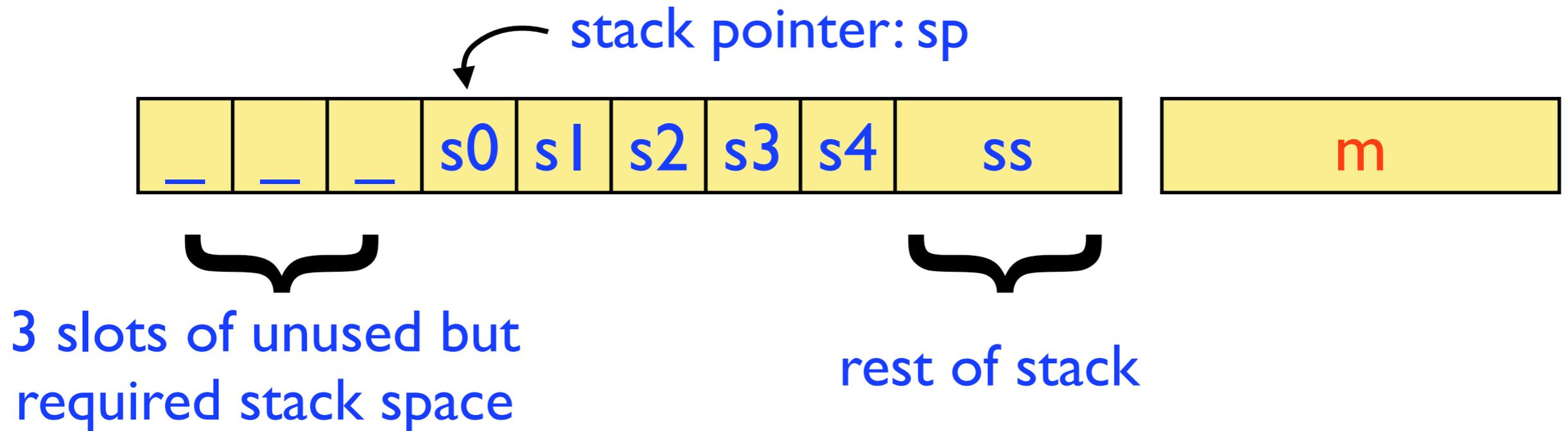
# Solution

Use separation-logic inspired approach



# Solution

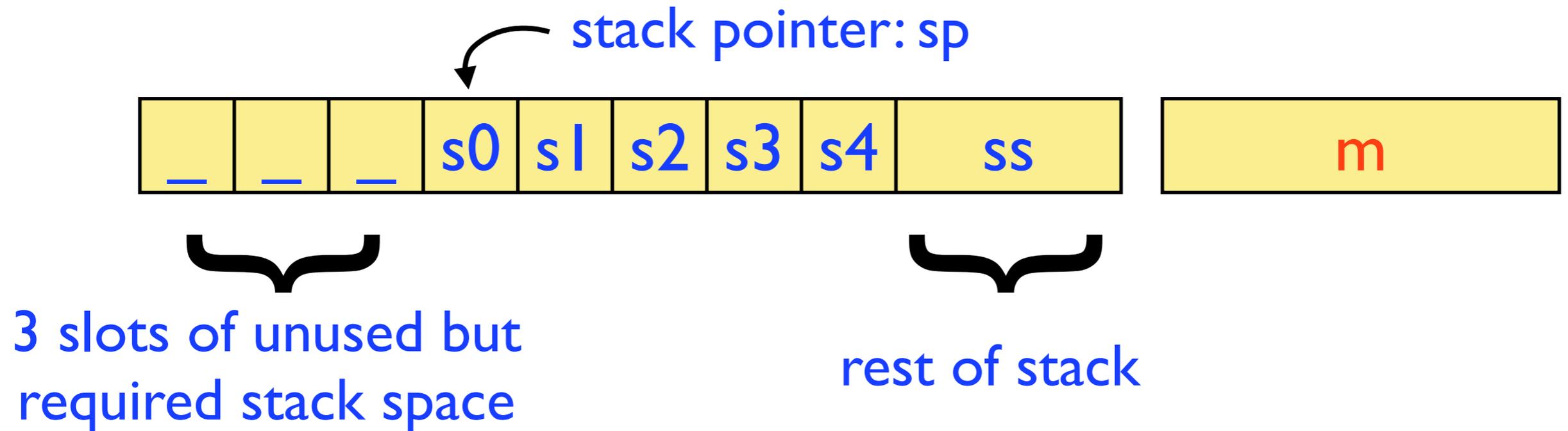
Use separation-logic inspired approach



`stack sp 3 (s0::s1::s2::s3::s4::ss)`

# Solution

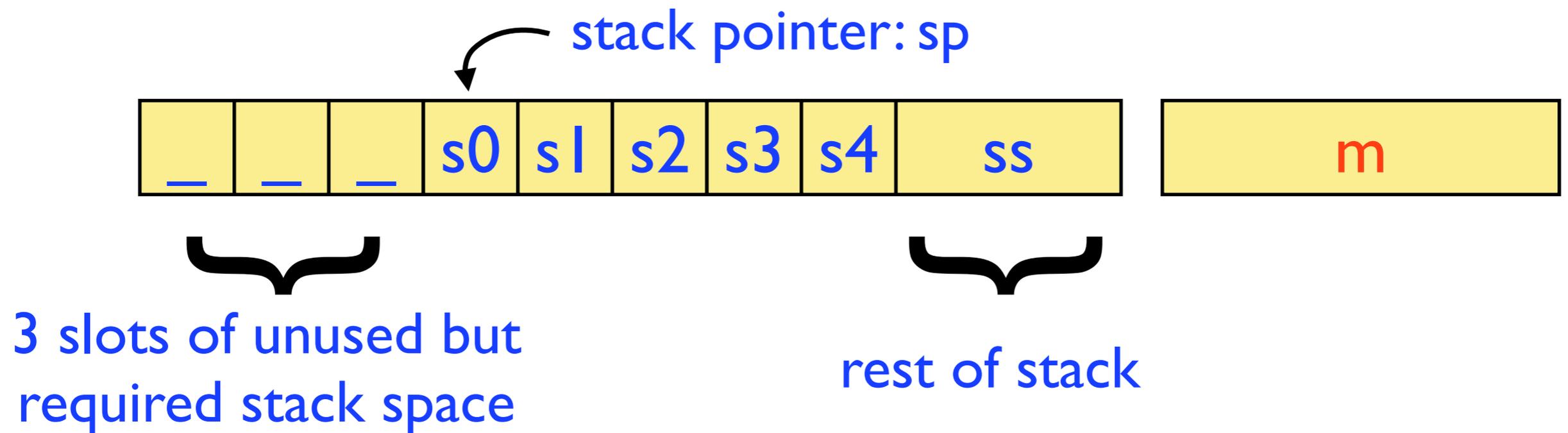
Use separation-logic inspired approach



`stack sp 3 (s0::s1::s2::s3::s4::ss) * memory m`

# Solution

Use separation-logic inspired approach

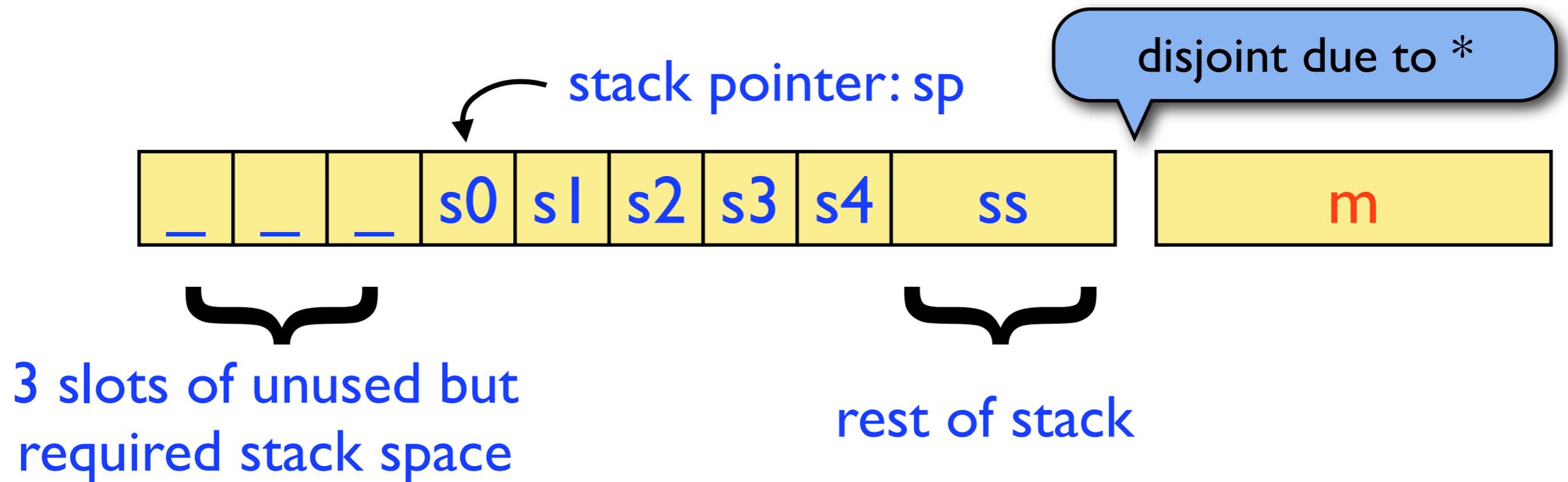


separation logic: \*

stack sp 3 (s0::s1::s2::s3::s4::ss) \* memory m

# Solution

Use separation-logic inspired approach



separation logic:  $*$

stack  $sp$  3 ( $s0::s1::s2::s3::s4::ss$ ) \* memory  $m$

# Solution (cont.)

```
add r1, r1, r0
add r1, r1, r2
ldr r2, [sp]
add r1, r1, r3
add r0, r1, r2
ldmib sp, {r2, r3}
add r0, r0, r2
add r0, r0, r3
ldr r3, [sp, #12]
add r0, r0, r3
lsr r0, r0, #3
bx lr
```

## Method:

1. static analysis to find stack operations,
2. derive stack-specific Hoare triples,
3. then run decompiler as before.

# Solution (cont.)

```
add r1, r1, r0
add r1, r1, r2
➔ ldr r2, [sp]
add r1, r1, r3
add r0, r1, r2
➔ ldmib sp, {r2, r3}
add r0, r0, r2
add r0, r0, r3
➔ ldr r3, [sp, #12]
add r0, r0, r3
lsr r0, r0, #3
bx lr
```

## Method:

1. static analysis to find stack operations,
2. derive stack-specific Hoare triples,
3. then run decompiler as before.

# Result

Stack load/stores become straightforward assignments.

```
add r1, r1, r0  
add r1, r1, r2
```

```
ldr r2, [sp]
```

```
add r1, r1, r3  
add r0, r1, r2
```

```
ldmib sp, {r2, r3}
```

```
add r0, r0, r2  
add r0, r0, r3
```

```
ldr r3, [sp, #12]
```

```
add r0, r0, r3  
lsr r0, r0, #3  
bx lr
```

→

→

→

avg8(r0,r1,r2,r3,s0,s1,s2,s3) =

```
let r1 = r1 + r0 in
```

```
let r1 = r1 + r2 in
```

```
let r2 = s0 in
```

```
let r1 = r1 + r3 in
```

```
let r0 = r1 + r3 in
```

```
let (r2,r3) = (s1,s2) in
```

```
let r0 = r0 + r2 in
```

```
let r0 = r0 + r3 in
```

```
let r3 = s3 in
```

```
let r0 = r0 + r3 in
```

```
let r0 = r0 >> 3 in
```

```
r0
```

# Result

Stack load/stores become straightforward assignments.

Additional benefit:

automatically proved certificate theorem  
states explicitly stack shape/usage:

$$\{ \text{stack } sp \ n \ (s0::s1::s2::s3::s) \ * \ \dots \ * \ \text{PC } p \}$$

$p : \text{code}$

$$\{ \text{stack } sp \ n \ (s0::s1::s2::s3::s) \ * \ \dots \ * \ \text{PC } lr \}$$

bx lr

r0

# Result

Stack load/stores become straightforward assignments.

Additional benefit:

automatically proved certificate theorem

states explicitly st

four arguments passed on stack

{ stack sp n (s0::s1::s2::s3::s) \* ... \* PC p }

p : code

{ stack sp n (s0::s1::s2::s3::s) \* ... \* PC lr }

bx lr

r0

# Result

Stack load/stores become straightforward assignments.

Additional benefit:

automatic does not require temp space, works for "any n"  
states explicitly by st four arguments passed on stack

```
{ stack sp n (s0::s1::s2::s3::s) * ... * PC p }
```

```
p : code
```

```
{ stack sp n (s0::s1::s2::s3::s) * ... * PC lr }
```

bx lr

r0

# Result

Stack load/stores become straightforward assignments.

Additional benefit:

automatic

does not require temp space, works for "any n"

states explicitly

four arguments passed on stack

```
{ stack sp n (s0::s1::s2::s3::s) * ... * PC p }
```

```
p : code
```

```
{ stack sp n (s0::s1::s2::s3::s) * ... * PC lr }
```

promises to leave stack unchanged

bx lr

r0

# Other C-specifics

- **struct as return value**
  - ▶ case of passing **pointer of stack location**
  - ▶ stack assertion strong enough
- **switch statements**
  - ▶ **position dependent**
  - ▶ must decompile elf-files, not object files
- **infinite loops in C**
  - ▶ make **gcc go weird**
  - ▶ must be pruned from control-flow graph

# Progress

A 6-week visit to NICTA resulted in:

**75 %** of seL4 decompiled

# Progress

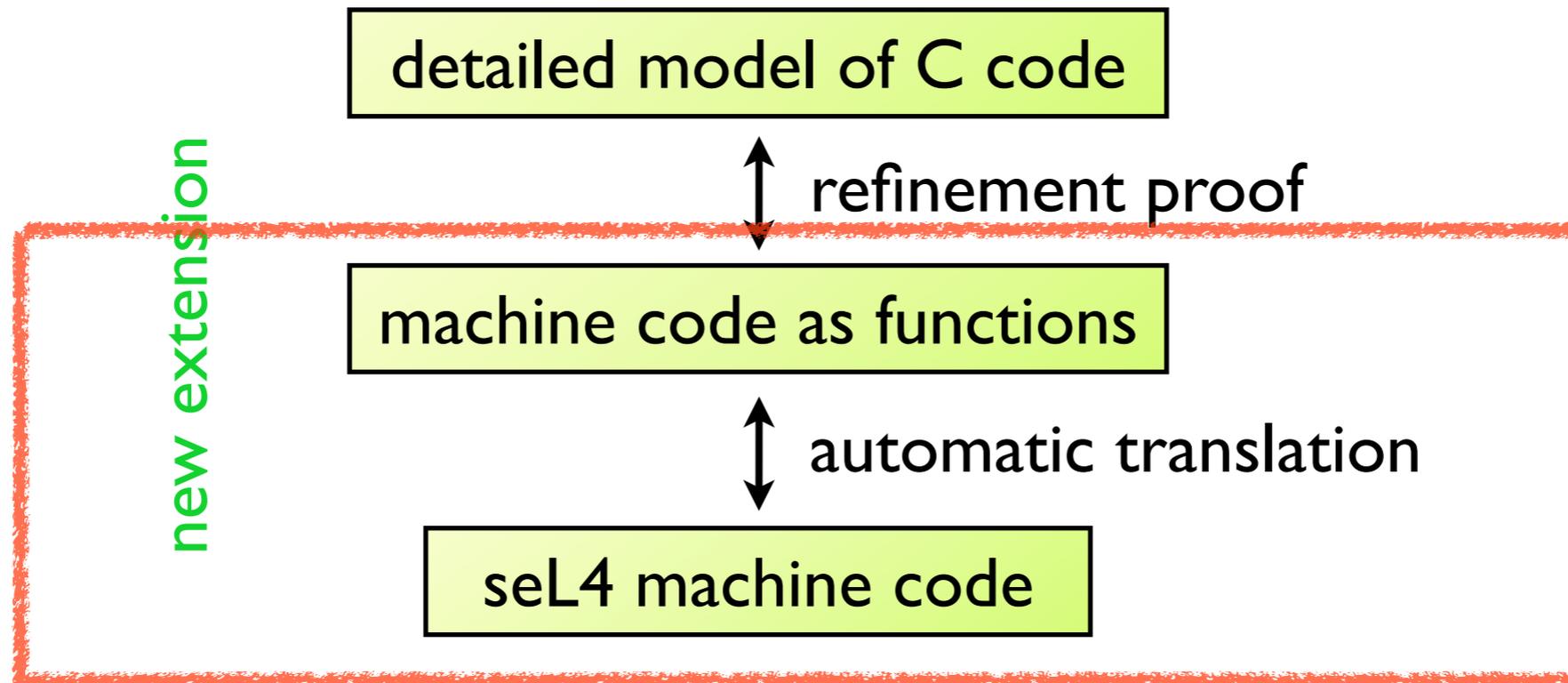
A 6-week visit to NICTA resulted in:

**75 %** of seL4 decompiled

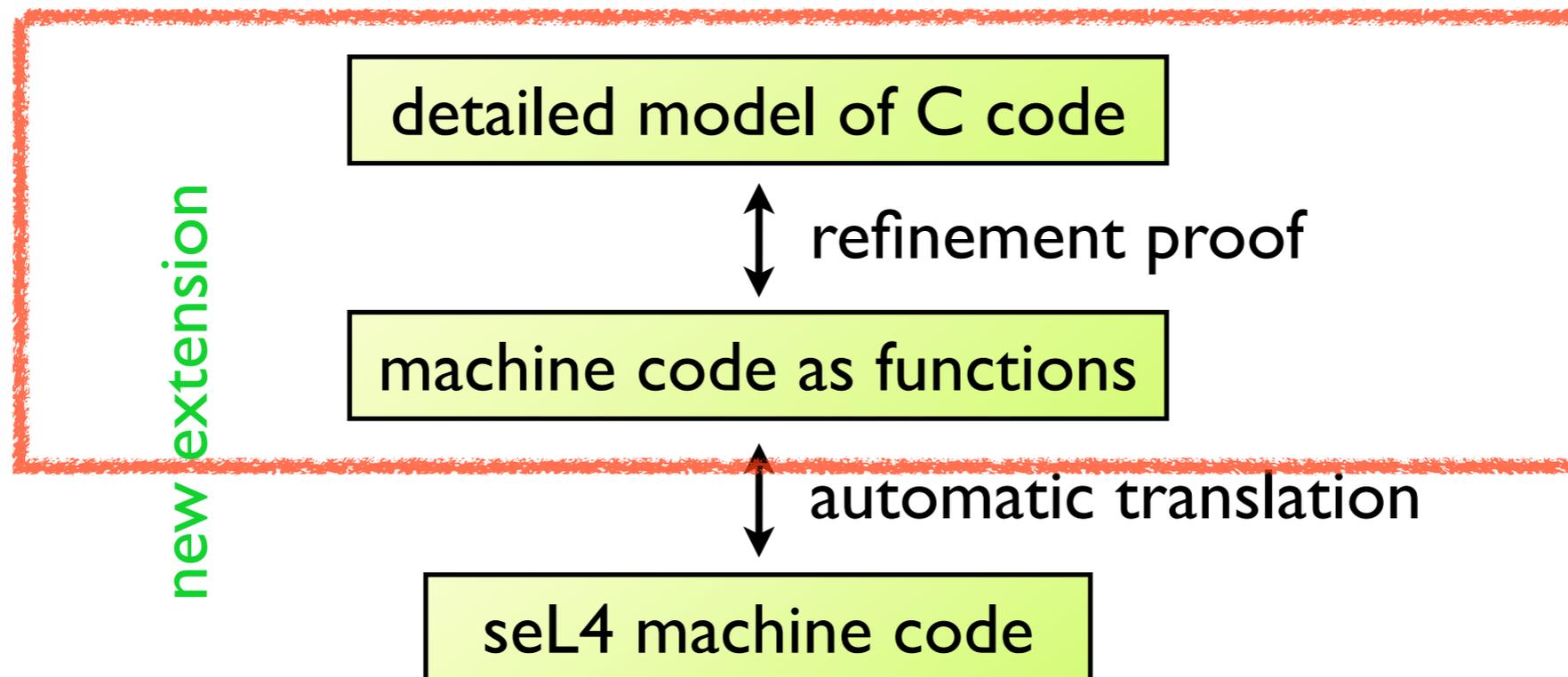
Next visit scheduled for end of this year:

- ▶ complete decompilation  
(make stack heuristic stronger)
- ▶ concentrate on stage 2... (next slide)

# Moving on to stage 2



# Moving on to stage 2



# Proving C refinement

## Approach 1:

- use a verification condition generator (VCG) to prove C Hoare-triple theorems, approximately:

$\{ \text{true} \} \text{code} \{ \text{state\_after} = \text{code\_fun}(\text{state\_before}) \}$

## Aim:

- make solution as automatic as possible
- must deal with reordering of load/store instructions

# Proving C refinement

## Approach 1:

- use a verification condition generator (VCG) to prove C Hoare-triple theorems, approximately:

`{ true } code { state_after = code_fun(state_before) }`

## Aim:

simplified for easier presentation

- make solution as automatic as possible
- must deal with reordering of load/store instructions

# Proving C refinement

## Approach 2:

- compose C code inside existing correctness C Hoare triple, e.g.

$$\begin{aligned} &= \{ \text{pre} \} (\text{Assign } f; \text{Assign } g) \{ \text{post} \} \\ &= \{ \text{pre} \} (\text{Assign } (g \circ f)) \{ \text{post} \} \end{aligned}$$

- then prove, for almost any pre, post:

$$\begin{aligned} &\{ \text{pre} \} \text{code} \{ \text{post} \} \\ \Rightarrow &\{ \text{pre} \} (\text{Assign } \text{code\_fun}) \{ \text{post} \} \end{aligned}$$

# Proving C refinement

Approach 2:

## Solution to inlined assembly:

naturally compatible with decompilations of inlined assembly, e.g.

```
{ pre } (Assign inline_asm_fun) { post }
```

Gets around the problem of C's `__asm__`.

```
{ pre } (Assign code_fun) { post }
```

Final part:

**Lessons learnt**

# gcc: weird and wonderful

## Wonderful:

- gcc -O2 produces good/clever code
- decompilation can be made to work on its output
- gcc -O0 produces simple “reference” machine code

## Weird:

- fails to spot a few ‘obvious’ optimisations
- gcc -O2 sometimes invents new subroutines

**Hardest part?**

# Hardest part?

So far: connection with C semantics.

# Hardest part?

So far: connection with C semantics.

**C semantics best avoided?**

# Hardest part?

So far: connection with C semantics.

**C semantics best avoided?**

Ideally avoid C altogether:

- use verification-friendly domain-specific language

# Hardest part?

So far: connection with C semantics.

C semantics best avoided?

Ideally avoid C altogether:

- use verification-friendly domain-specific language

HASP?

# Hardest part?

So far: connection with C semantics.

## C semantics best avoided?

Ideally avoid C altogether:

- use verification-friendly domain-specific language

HASP?

... but C is the reality of OS code

- a simple “hacker’s semantics of C” ?

**“a hacker’s C semantics”**

# “a hacker’s C semantics”

Possibility: use decompilation from `gcc -O0`  
as semantics of C code.

# “a hacker’s C semantics”

Possibility: use decompilation from `gcc -O0`  
as semantics of C code.

- ✓ approach reflects the observation:  
“OS hackers use C as convenient way to write assembly”

# “a hacker’s C semantics”

Possibility: use decompilation from `gcc -O0`  
as semantics of C code.

- ✓ approach reflects the observation:  
“OS hackers use C as convenient way to write assembly”
- ✓ potentially simpler than current C semantics

# “a hacker’s C semantics”

Possibility: use decompilation from gcc -O0  
as semantics of C code.

- ✓ approach reflects the observation:  
“OS hackers use C as convenient way to write assembly”
- ✓ potentially simpler than current C semantics
- ✓ does not require trusting gcc
  - ▶ proof relates only to the generated machine code

# “a hacker’s C semantics”

Possibility: use decompilation from gcc -O0 as semantics of C code.

- ✓ approach reflects the observation:
  - “OS hackers use C as convenient way to write assembly”
- ✓ potentially simpler than current C semantics
- ✓ **does not require trusting gcc**
  - ▶ proof relates only to the generated machine code
- ✓ separately prove transition from gcc -O0 to gcc -O2

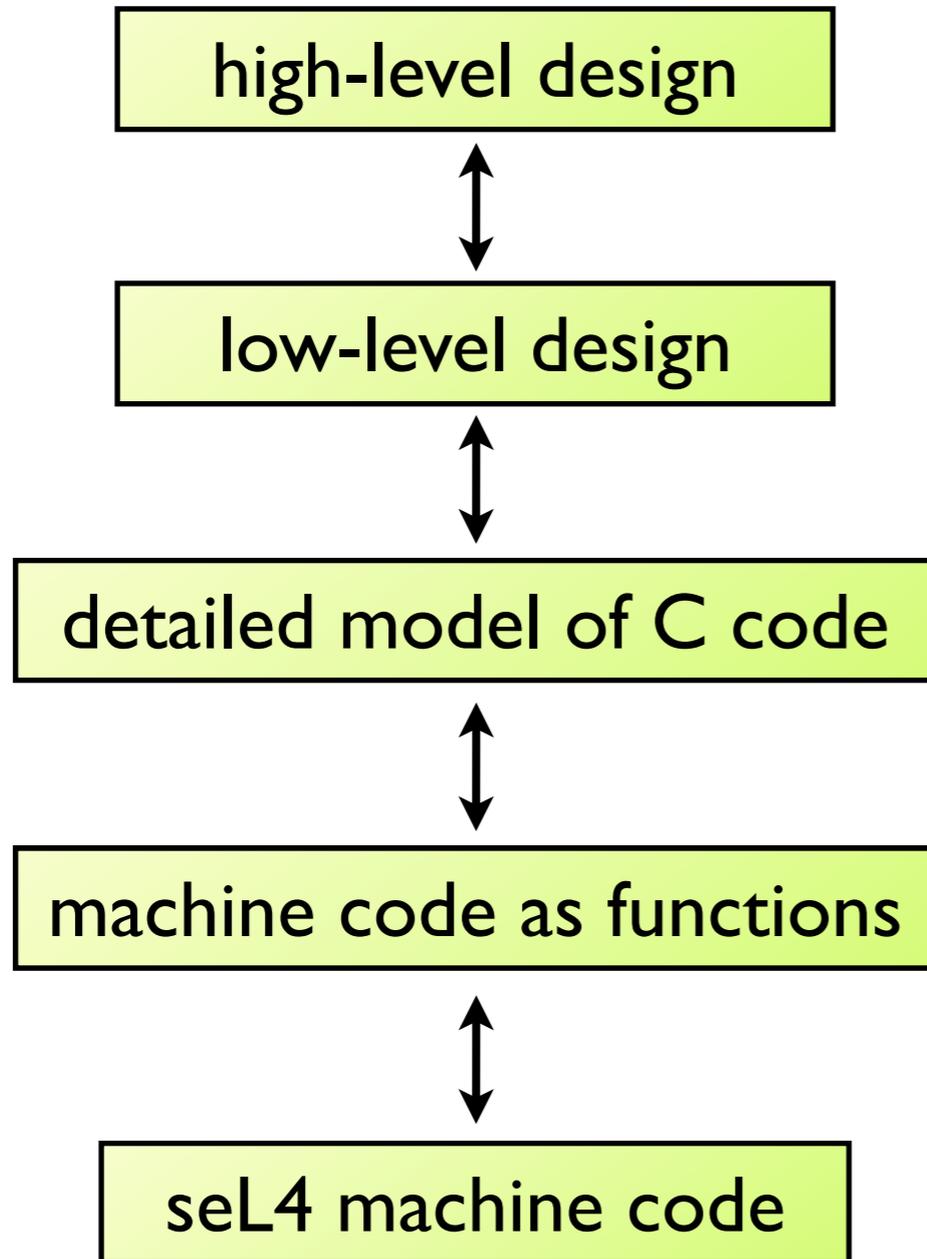
# “a hacker’s C semantics”

Possibility: use decompilation from gcc -O0 as semantics of C code.

- ✓ approach reflects the observation:  
“OS hackers use C as convenient way to write assembly”
  - ✓ potentially simpler than current C semantics
  - ✓ does not require trusting gcc
    - ▶ proof relates only to the generated machine code
  - ✓ separately prove transition from gcc -O0 to gcc -O2
- ➡ impossible: current L4.verified proofs tied to C sem.

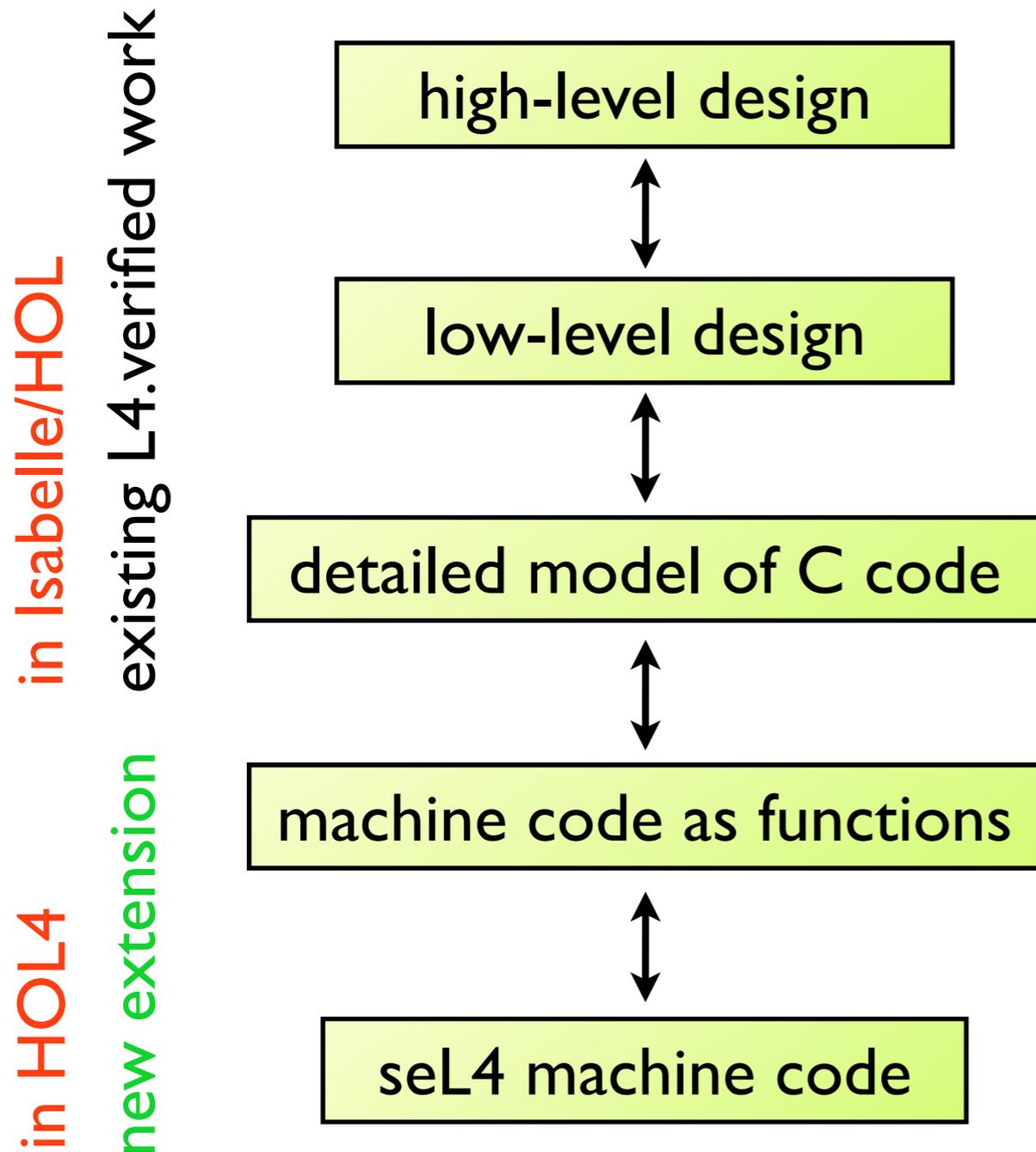
# Connecting provers

existing L4.verified work  
new extension



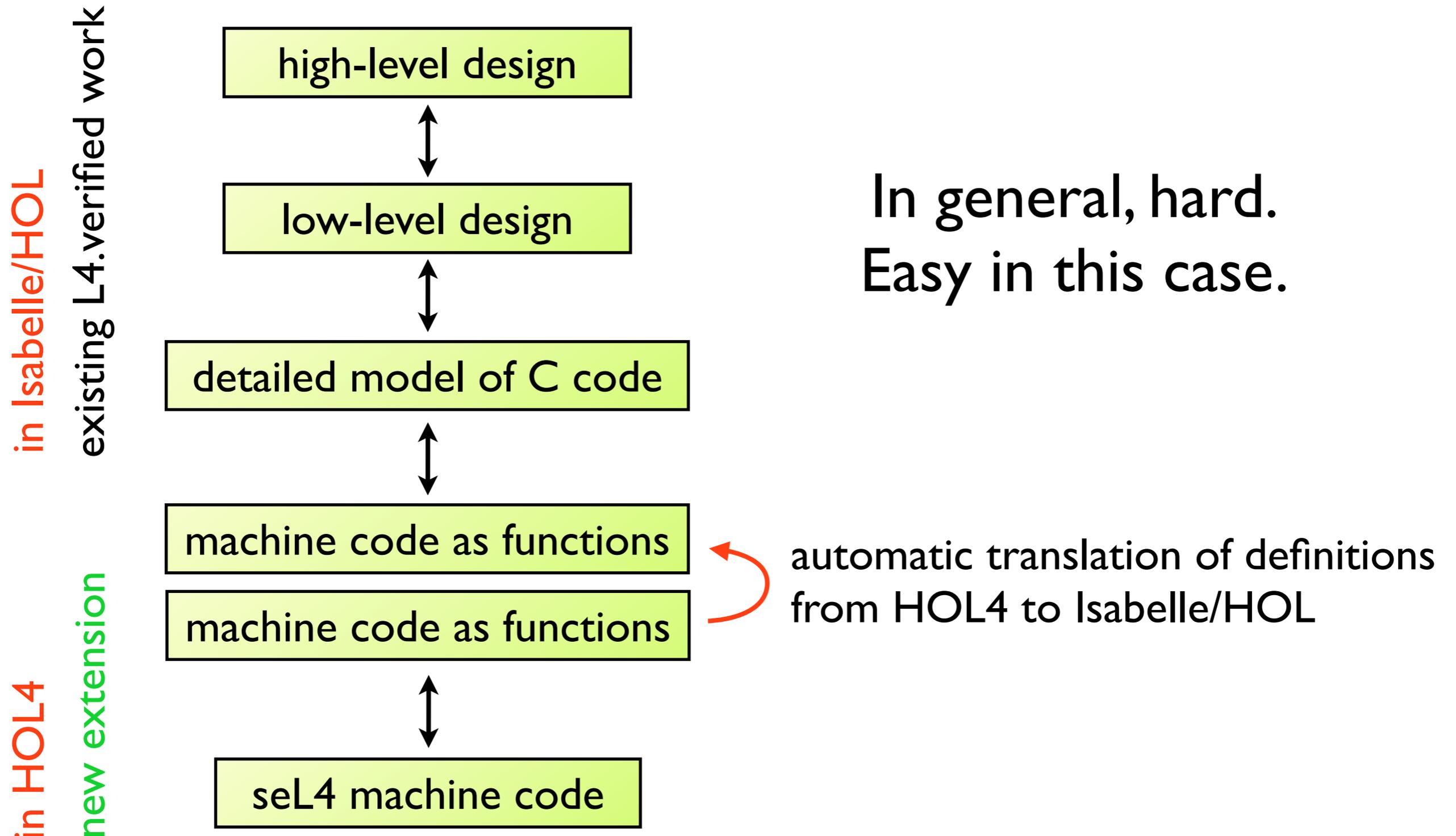
In general, hard.  
Easy in this case.

# Connecting provers



In general, hard.  
Easy in this case.

# Connecting provers



# Summary

L4.verified is being extended downwards  
using the Cambridge ARM model

\* work in progress

# Summary

L4.verified is being extended downwards  
using the Cambridge ARM model

\* work in progress

Aim:

- remove need to trust gcc and C

# Summary

L4.verified is being extended downwards  
using the Cambridge ARM model

\* work in progress

Aim:

- remove need to trust gcc and C

Lesson learnt:

- decompilation scales!  
(at least to 10,000 ARM instructions)

# Summary

L4.verified is being extended downwards  
using the Cambridge ARM model

\* work in progress

Aim:

- remove need to trust gcc and C

Questions?

Lesson learnt:

- decompilation scales!  
(at least to 10,000 ARM instructions)